

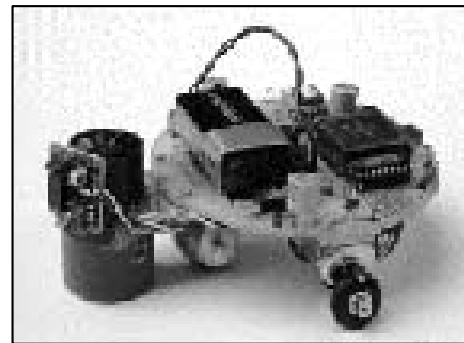
Tutorial on Ant Robotics

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joint work with Jonas Svennebring, Boleslaw Szymanski, Yaxin Liu, and Craig Tovey



Overview



Robomow

- Cheap robots
 - Limited capabilities
 - Computation capability
 - Sensing capability
 - Actuation capability
 - Groups of robots
 - Fault tolerance
 - Parallelism



Cye



Roomba

Overview

- Ant robots
 - Robots with limited capabilities
 - Robots that leave information in the terrain
- Ant robots cannot use conventional planning methods. Rather, their behavior is driven by local interactions. This can result in very robust navigation.

Recommended special journal issue for further reading:
AMAI special issue on Ant Robotics edited by Wagner and Bruckstein

Overview

- Our motivating task is the one-time or repeated coverage of known or unknown terrain with single robots or teams of robots
 - Mine sweeping
 - Surveillance
 - Search-and-rescue
 - Guarding
 - Surface inspection

Overview

- This topic is a bit far out. However, ...
- We will touch on different areas of AI and CS
 - Agent coordination (swarms)
 - Robotics (robot architectures, ant robots, sensor networks)
 - Search (real-time search)
 - Complexity analysis of graph algorithms
- We will see several good dissertation topics.

your idea here

Structure

- Motivation
- Real-time search
- Results on real-time search
- Application to ant robots and results
- Serious application: smart markers

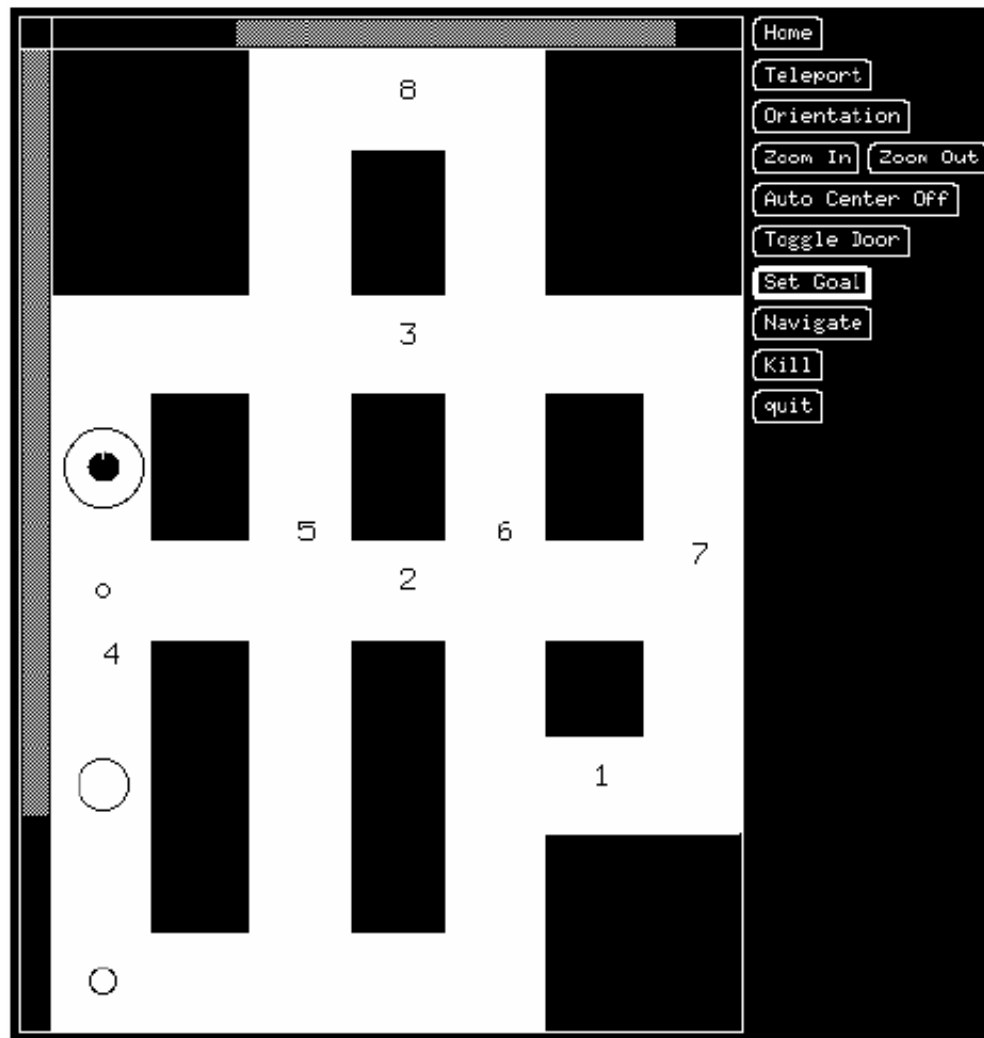
Motivating Toy Task

- Guarding a museum at night
 - Robots
 - Computation is slow
 - Sensing is noisy
 - Actuation is noisy
 - Robots can fail
 - Terrain
 - Terrain might be unknown initially
 - Terrain can change over time

First Approach

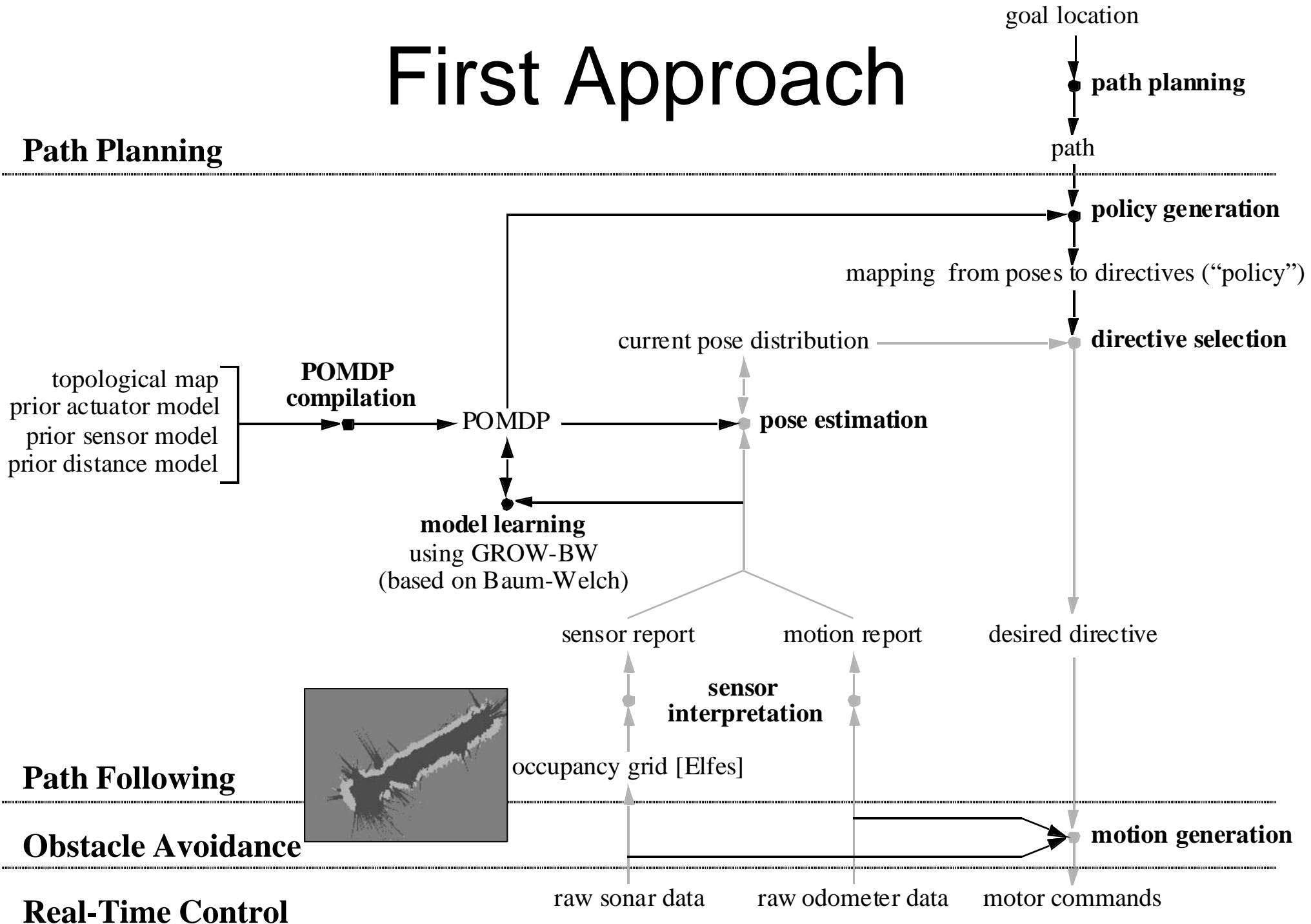
- Good location estimates - e.g. probabilities
- Path planning – e.g. POMDPs
- Explicit coordination – e.g. auctions

First Approach



First Approach

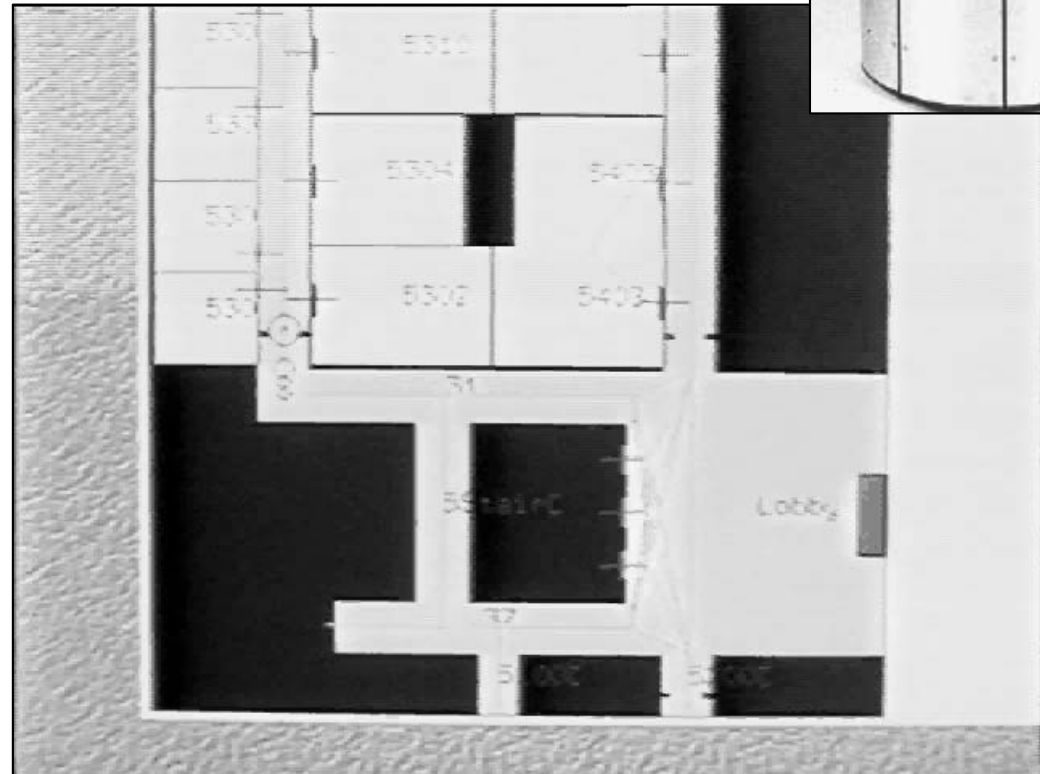
Path Planning



First Approach

- **Example: Xavier** [Simmons and Koenig]

Xavier is a mobile robot at Carnegie Mellon University that received navigation requests from users worldwide via the World Wide Web and used POMDP-based navigation to travel more than 230 kilometers – an early used of POMP-based navigation which is now in wide-spread use.



First (Standard) Approach

- Good location estimates - e.g. probabilities
- Path planning – e.g. POMDPs
- Explicit coordination – e.g. auctions

- The standard approach
- Complex hardware and software

Recommended book for further reading:
Probabilistic Robotics, Thrun, Burgard and Fox, MIT Press

Second Approach

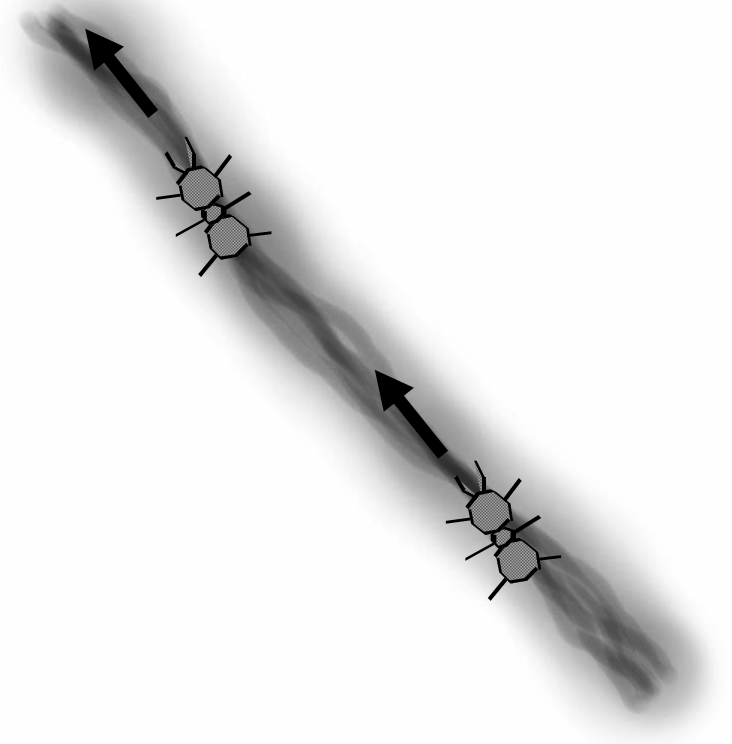
- No location estimates
 - No planning
 - No explicit coordination
-
- Not a standard approach at all
 - Simpler hardware and software

Second Approach

- No location estimates
- No planning
- No explicit coordination
- Random walk

Second Approach

- No location estimates
- No planning
- No explicit coordination
- Leaving trails in the terrain
 - Short-lived trails
 - Heat [Russell]
 - Odor [Russell et al.]
 - Alcohol [Sharpe et al.]



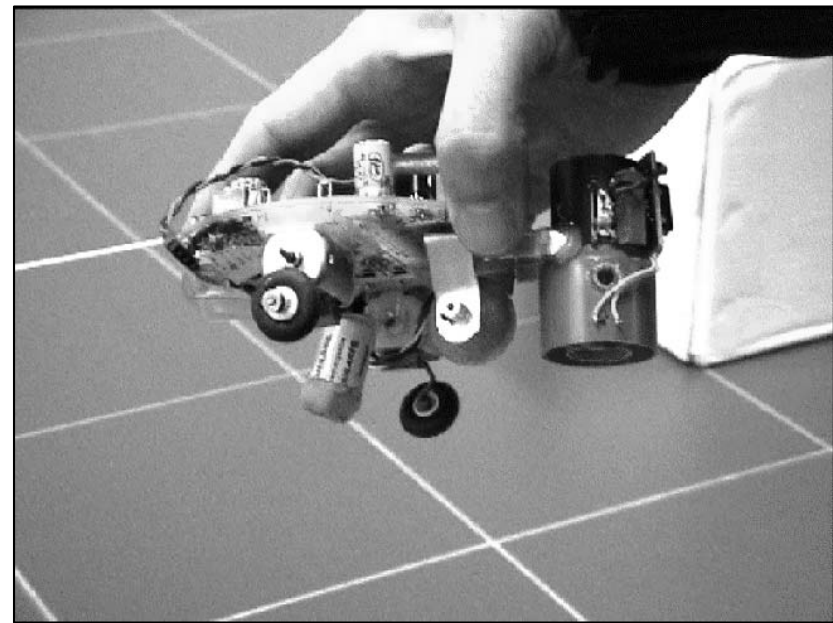
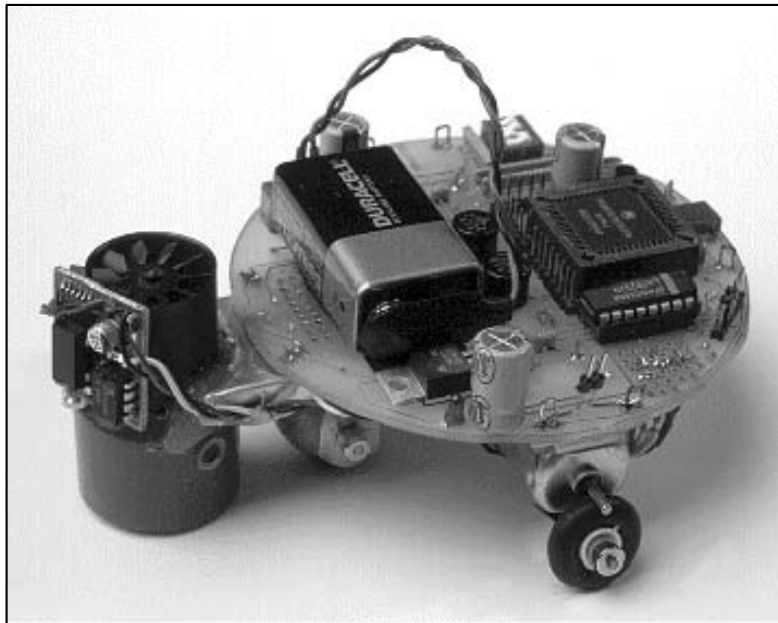
Second Approach

- Chemical sensing is a relatively new area of robotics with many interesting challenges and important applications.

Recommended book for further reading:
Odour Sensing for Mobile Robots, Russell, World Scientific

Second Approach

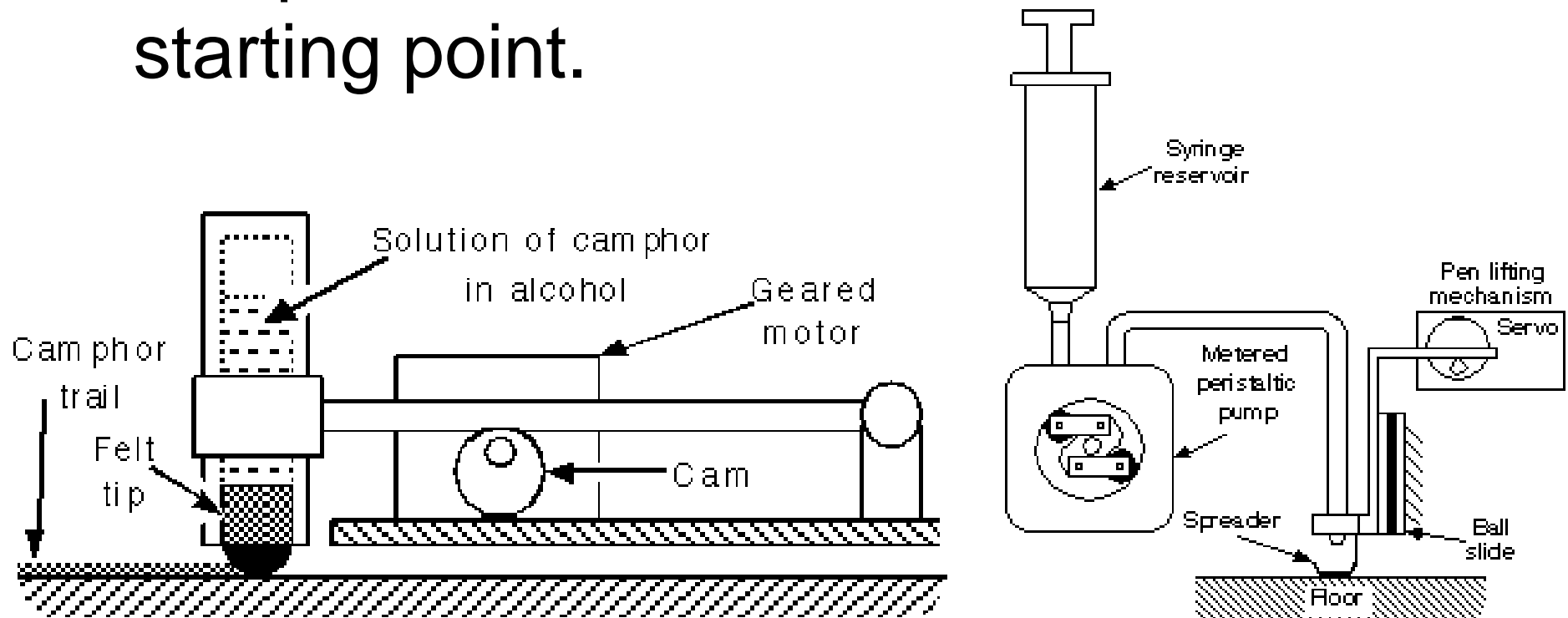
- Andrew Russell's RAT robot lays a camphor trail and then follows it back to its starting point.



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Second Approach

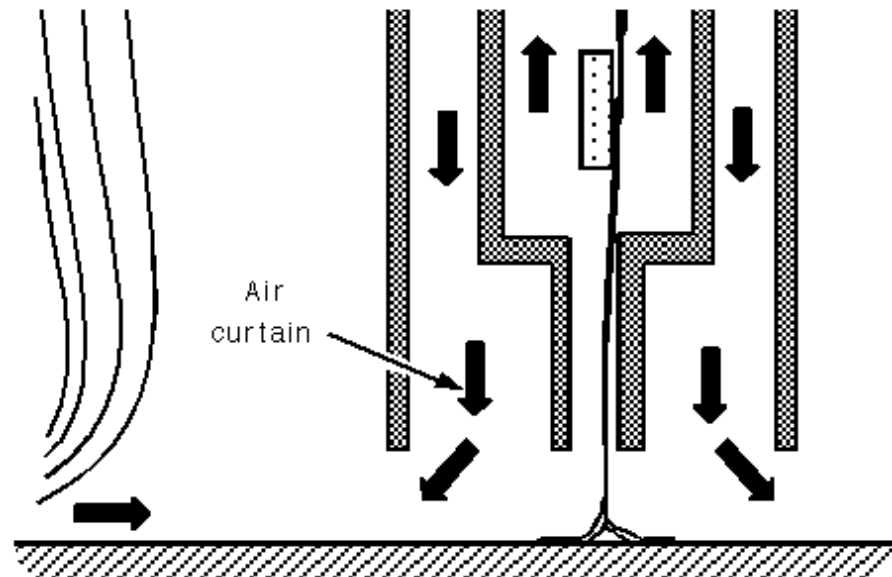
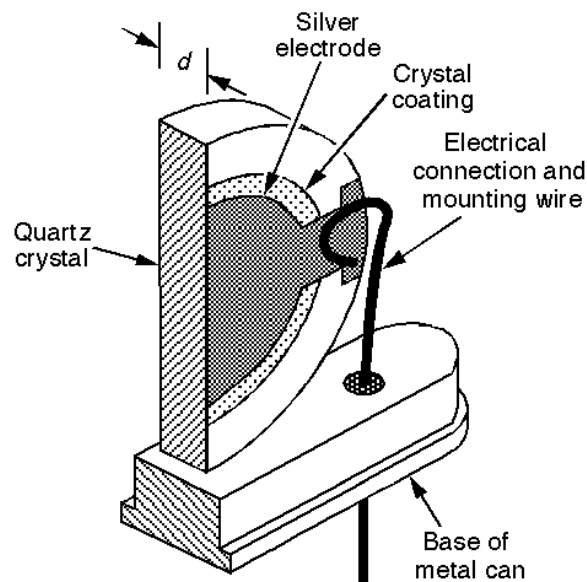
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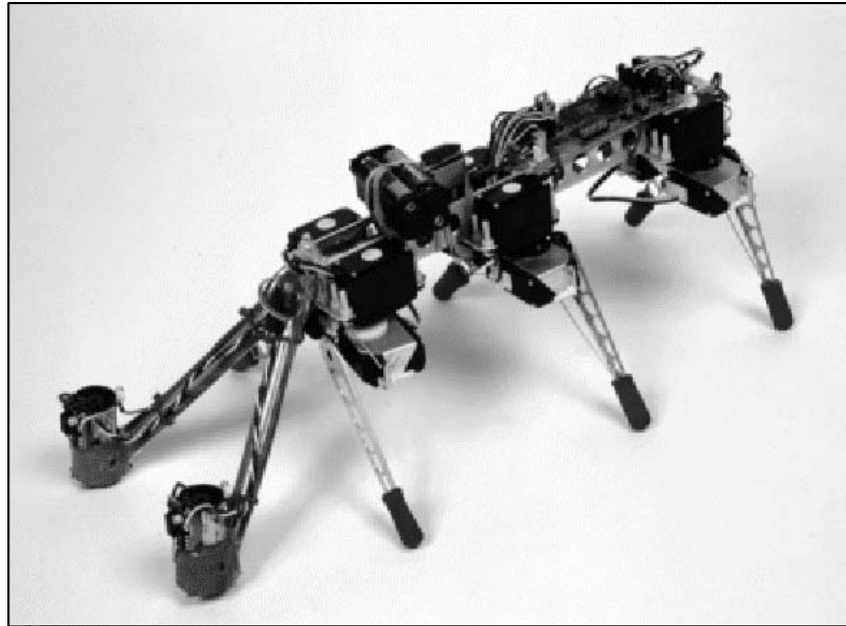
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Second Approach

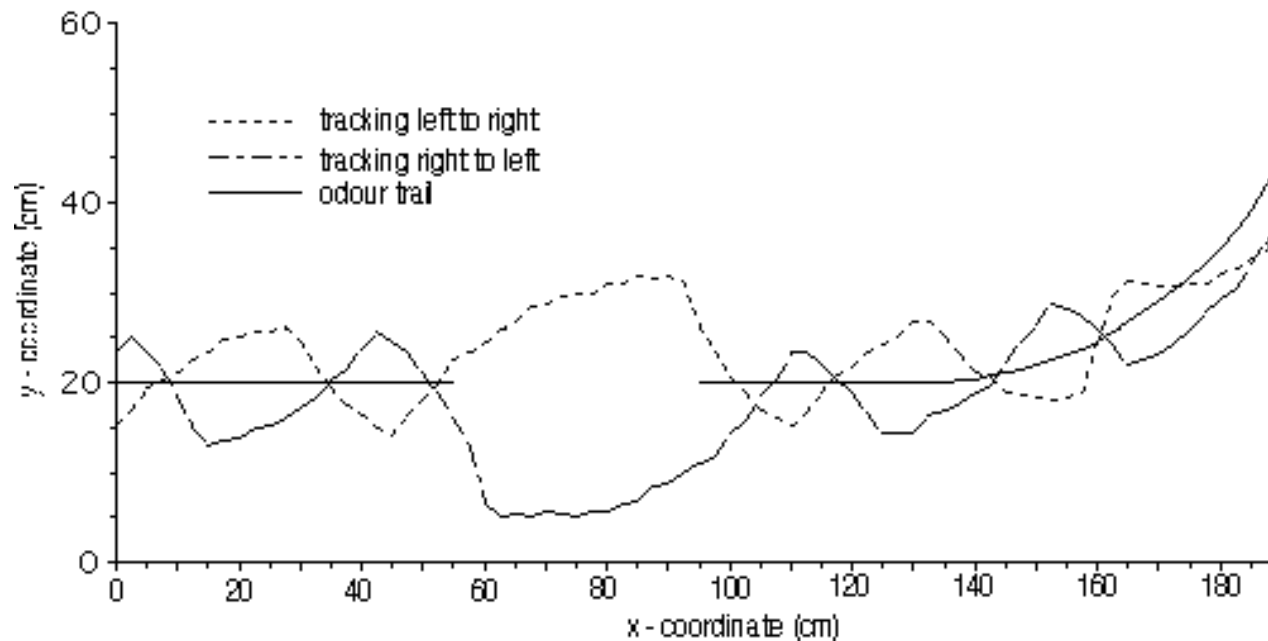
- Andrew Russell's hexapod robot follows a camphor trail.



Recommended book for further reading:
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Second Approach

- Andrew Russell's hexapod robot follows a camphor trail.



Recommended book for further reading:

Odour Sensing for Mobile Robots, Russell, World Scientific

Second Approach

- No location estimates
- No planning
- No explicit coordination
- Leaving trails in the terrain
 - Short-lived trails
 - Heat [Russell]
 - Odor [Russell et al.]
 - Alcohol [Sharpe et al.]

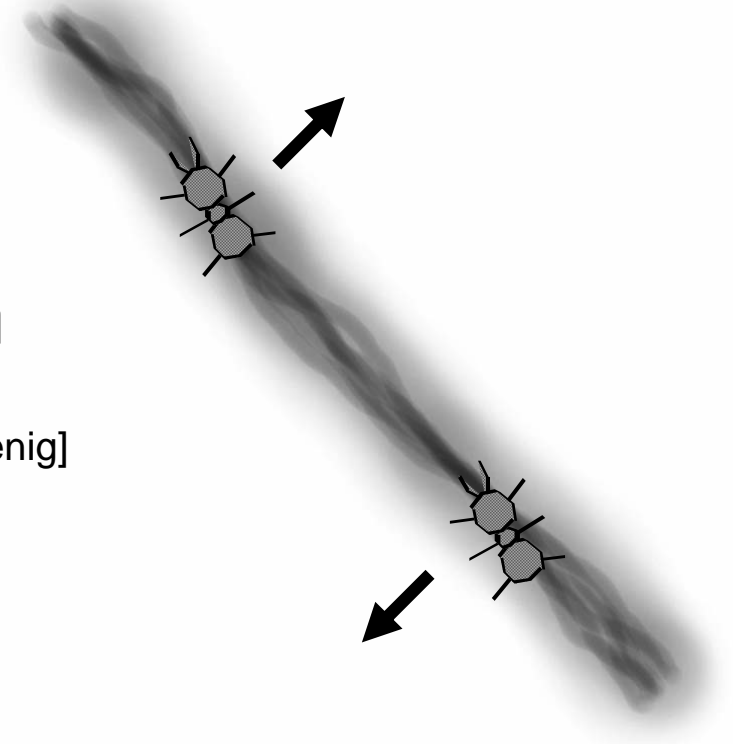


your system here

The diagram shows a grey, smoky trail winding diagonally across the right side of the slide. Two ants, depicted as small hexagons with legs, are following the trail. One ant is at the top of the trail, and the other is further down. Two black arrows point in opposite directions along the trail, indicating movement. The text 'your system here' is written in a large, bold, italicized font, slanted to follow the path of the trail.

Second Approach

- No location estimates
- No planning
- No explicit coordination
- Leaving trails in the terrain
 - Long-lived trails [Svennebring and Koenig]



Structure

- Motivation
- Real-time search
 - Analytical evaluation
 - Experimental evaluation
- Results on real-time search
- Application to ant robots and results
- Serious application: smart markers

Real-Time Search

- Real-time search methods provide an interesting means for coordinating single ant robots or teams of ant robots that cover known or unknown terrain once or repeatedly.
- They leave markings in the terrain, similar to what some ants do.
- The ant robots robustly cover terrain even if the robots are moved without realizing this, some robots fail, and some markings get destroyed. The robots do not even need to be localized.

Node Counting

Initially, the u-values $u(s)$ are zero for all cells s .

1. $s := \text{start cell}$
2. $s' := \text{a cell adjacent to cell } s \text{ with a minimal } u\text{-value}$
3. $u(s) := 1 + u(s')$
4. move the ant robot to cell s'
5. go to 2

What do the u-values mean?
Where would you move?

3	1	1		0	0
2	2	2		0	0
1	2			0	0
0	2	1	0	0	0
0	1	0	0	0	0

Coverage: Node Counting

time step 0

0	0	0		0	0
0	0	0		0	0
0	0			0	0
0	0	0	0	0	0
0	0	0	0	0	0

time step 1

3	0	0		0	0
0	0	0		0	0
0	0			0	0
0	0	0	0	0	0
0	0	0	0	0	0

time step 2

3	1	0		0	0
2	0	0		0	0
0	0			0	0
0	0	0	0	0	0
0	0	0	0	0	0

time step 3

3	1	0		0	0
2	2	0		0	0
1	0			0	0
0	0	0	0	0	0
0	0	0	0	0	0

time step 4

3	1	0		0	0
2	2	1		0	0
1	2			0	0
0	0	0	0	0	0
0	0	0	0	0	0

time step 5

3	1	1		0	0
2	2	1		0	0
1	2			0	0
0	2	0	0	0	0
0	0	0	0	0	0

time step 6

3	1	1		0	0
2	2	2		0	0
1	2			0	0
0	2	1	0	0	0
0	1	0	0	0	0

time step 7

3	1	2		0	0
2	2	2		0	0
1	2			0	0
0	2	1	0	0	0
1	1	1	0	0	0

				0	0
2	2	2		0	0
1	2			0	0
0	2	1	0	0	0
1	1	1	0	0	0

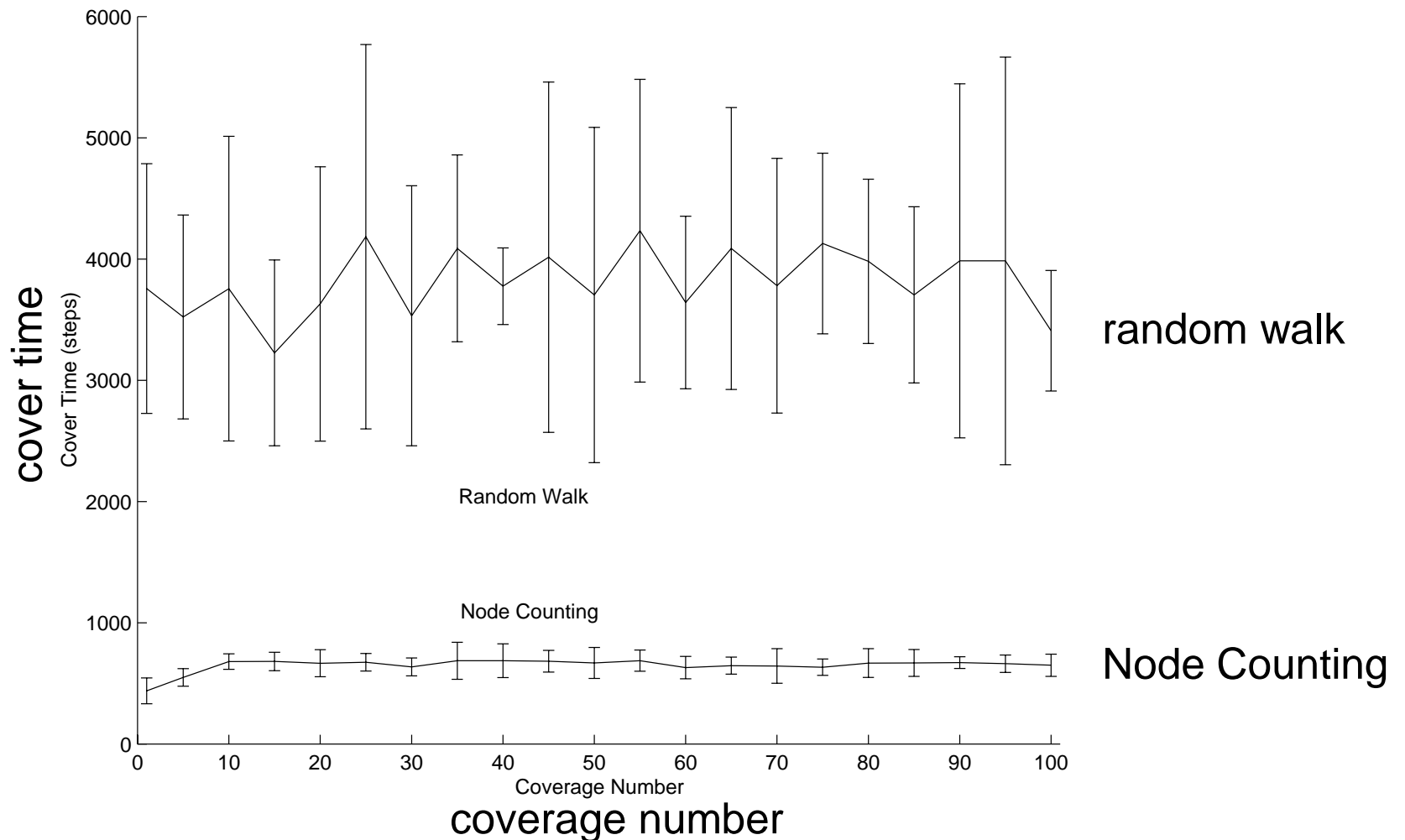
Coverage: Node Counting



Theoretical Foundation

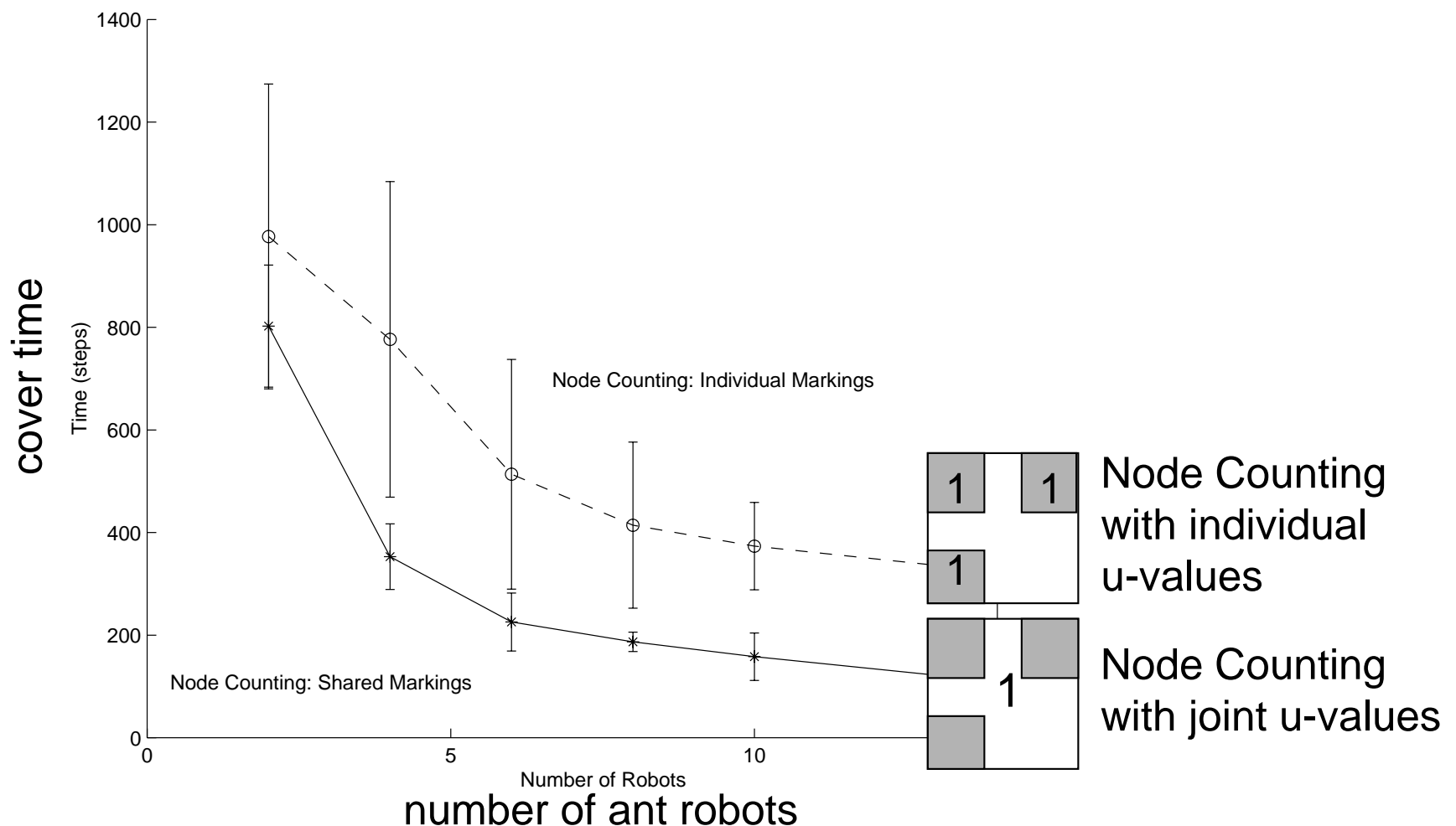
Coverage: Node Counting

- The u-values coordinate ant robots.



Coverage: Node Counting

- Sharing the u-values coordinates ant robots.



Real-Time Search Methods

Initially, the u-values $u(s)$ are zero for all cells s .

1. $s := \text{start cell}$
2. $s' := \text{a cell adjacent to cell } s \text{ with a minimal } u\text{-value}$
3. $u(s) := 1 + u(s)$
or $u(s) := 1 + u(s')$
or if $u(s) \leq u(s')$ then $u(s) := 1 + u(s)$
or $u(s) := \max(1+u(s), 1+u(s'))$
4. move the ant robot to cell s'
5. go to 2

Node Counting
Korf's LRTA*
Wagner's Rule
Thrun's Rule

your method here

What do the u-values mean?
Where would you move?

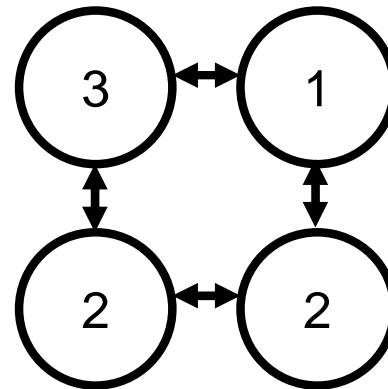
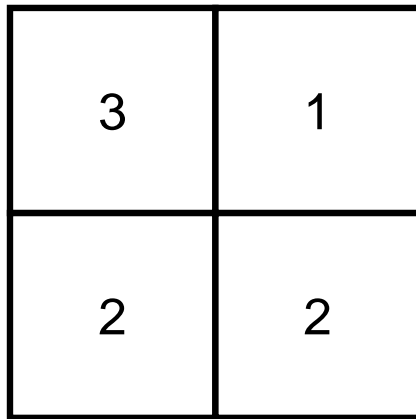
3	1	1		0	0
2	2	2		0	0
1	2			0	0
0	2	1	0	0	0
0	1	0	0	0	0

Structure

- Motivation
- Real-time search
 - Analytical evaluation
 - Experimental evaluation
- Results on real-time search
- Application to ant robots and results
- Serious application: smart markers

Real-Time Search Methods

- From grids to directed graphs

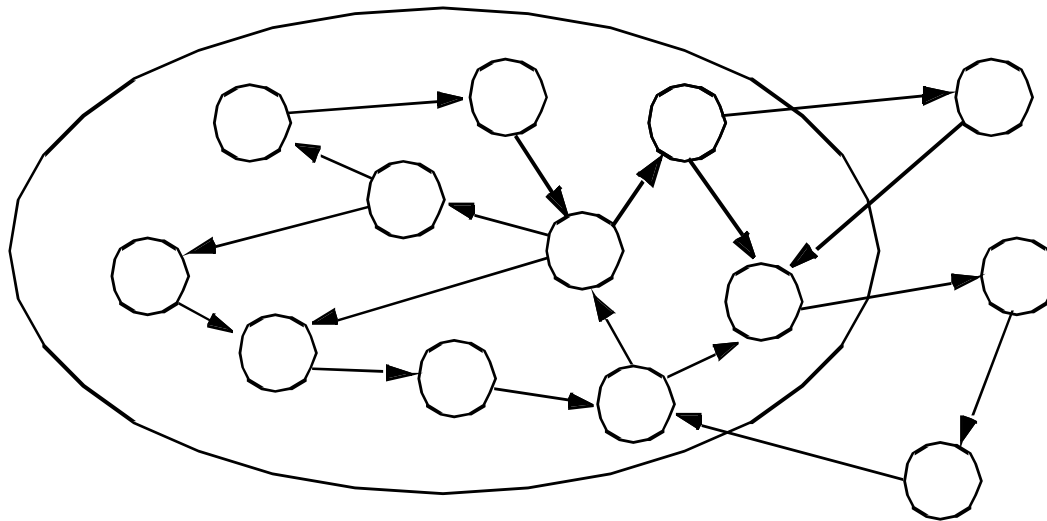


Real-Time Search Methods

Theorem:

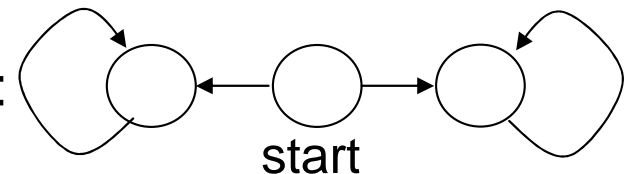
Teams of ant robots that all use the same real-time search method cover all strongly connected graphs repeatedly.

Proof:



QED

The graphs need to be strongly connected:

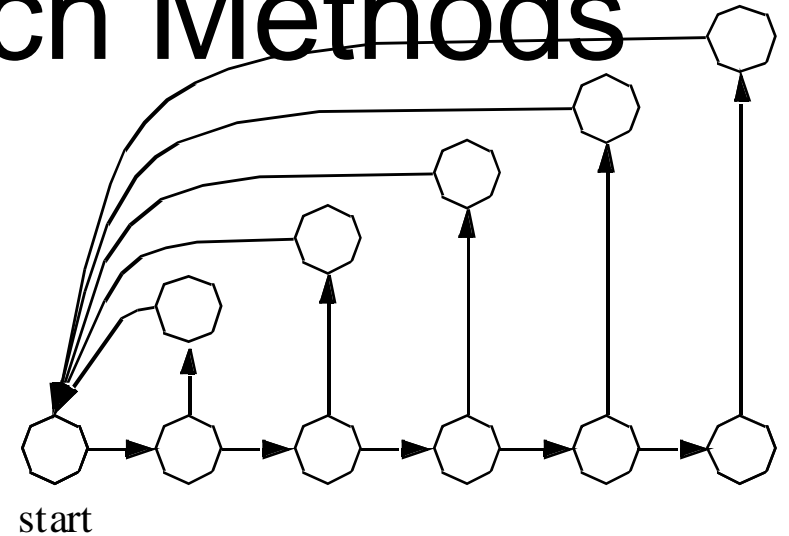
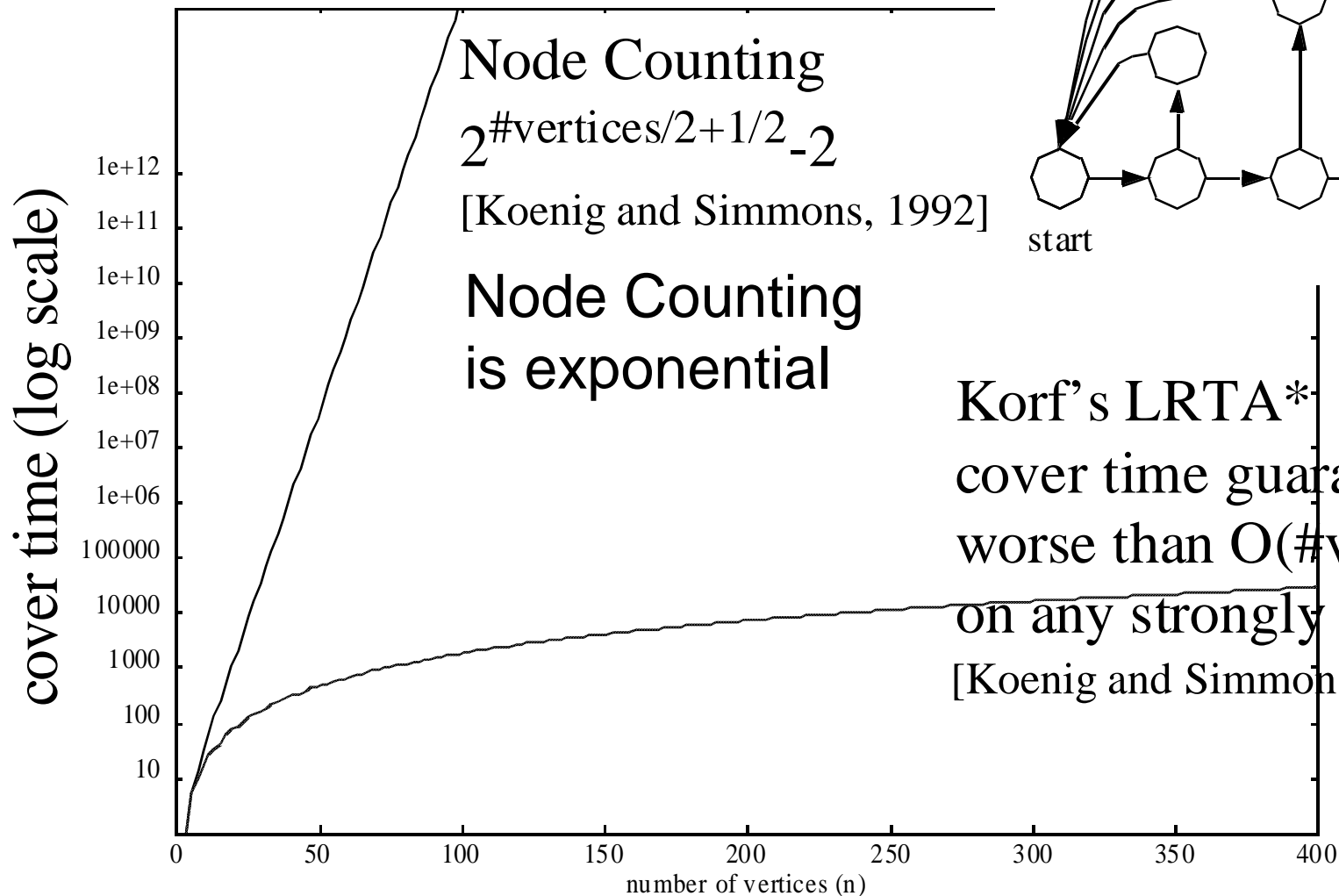


Real-Time Search Methods

- How fast is the coverage (= cover time) in the worst case, that is, if an adversary can choose the graph topology, the start vertex and the tie-breaking rule?
 - Node Counting: exponential
 - Korf's LRTA*: polynomial
 - Wagner's Rule: polynomial
 - Thrun's Rule: polynomial

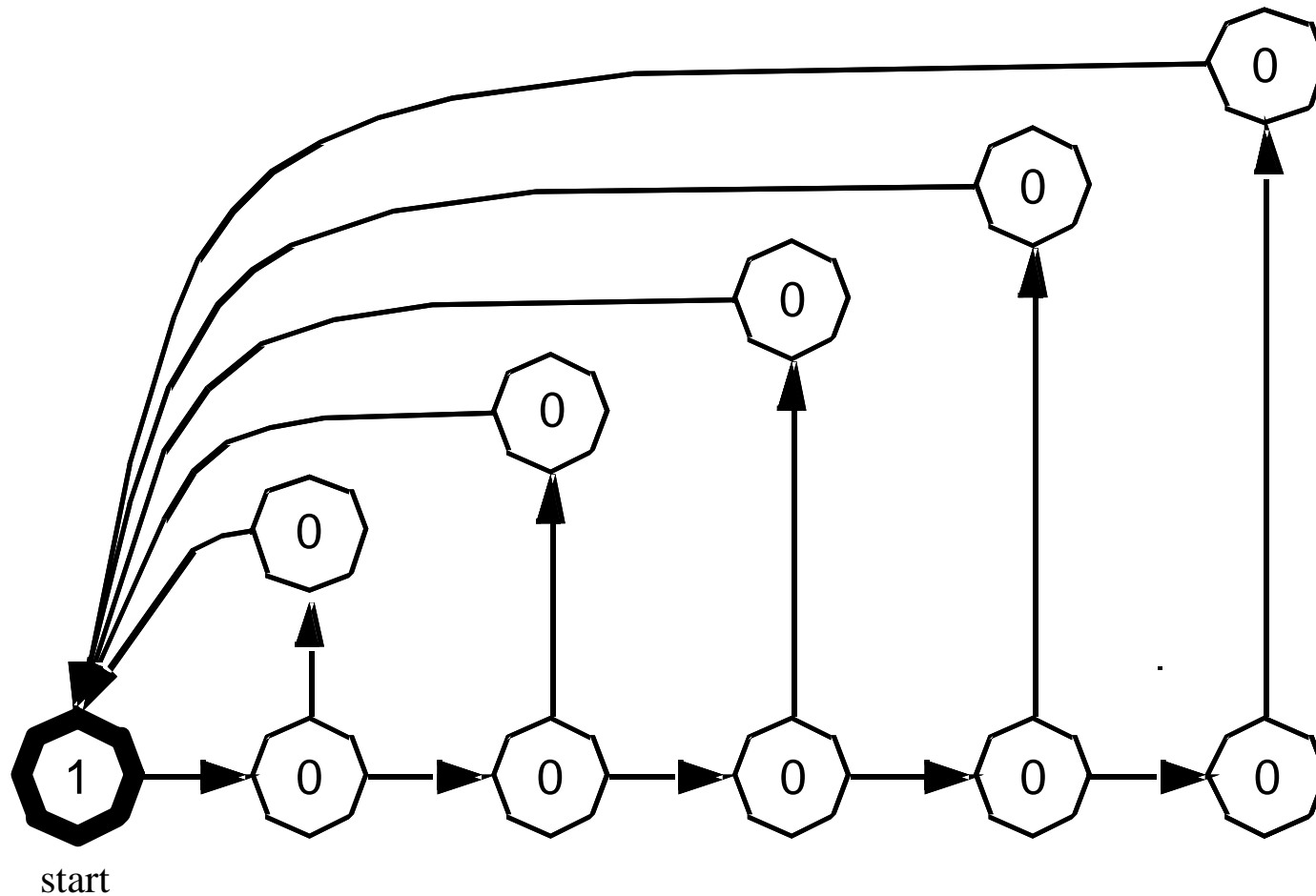
Real-Time Search Methods

- strongly connected directed graphs



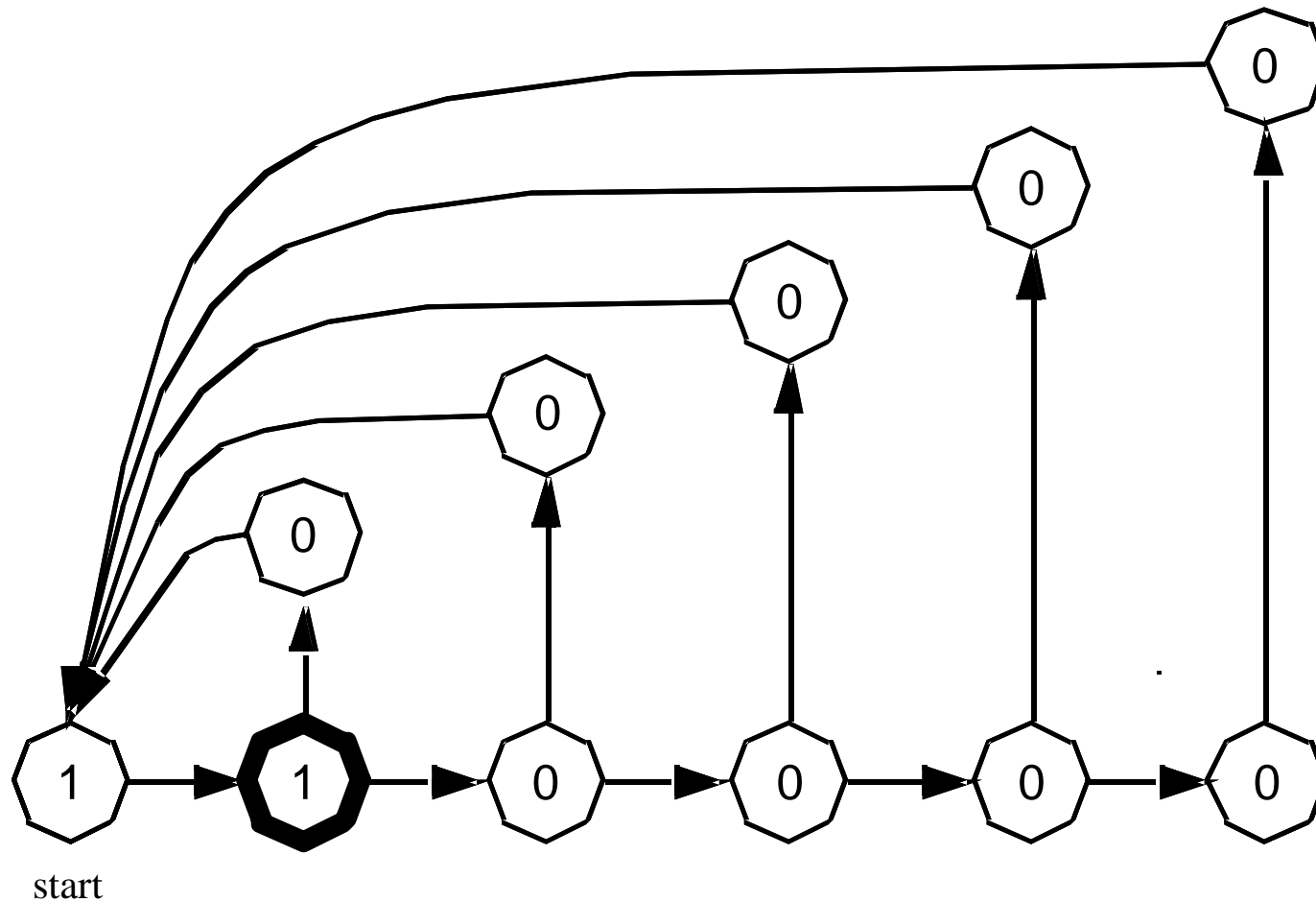
number of vertices

Real-Time Search Methods

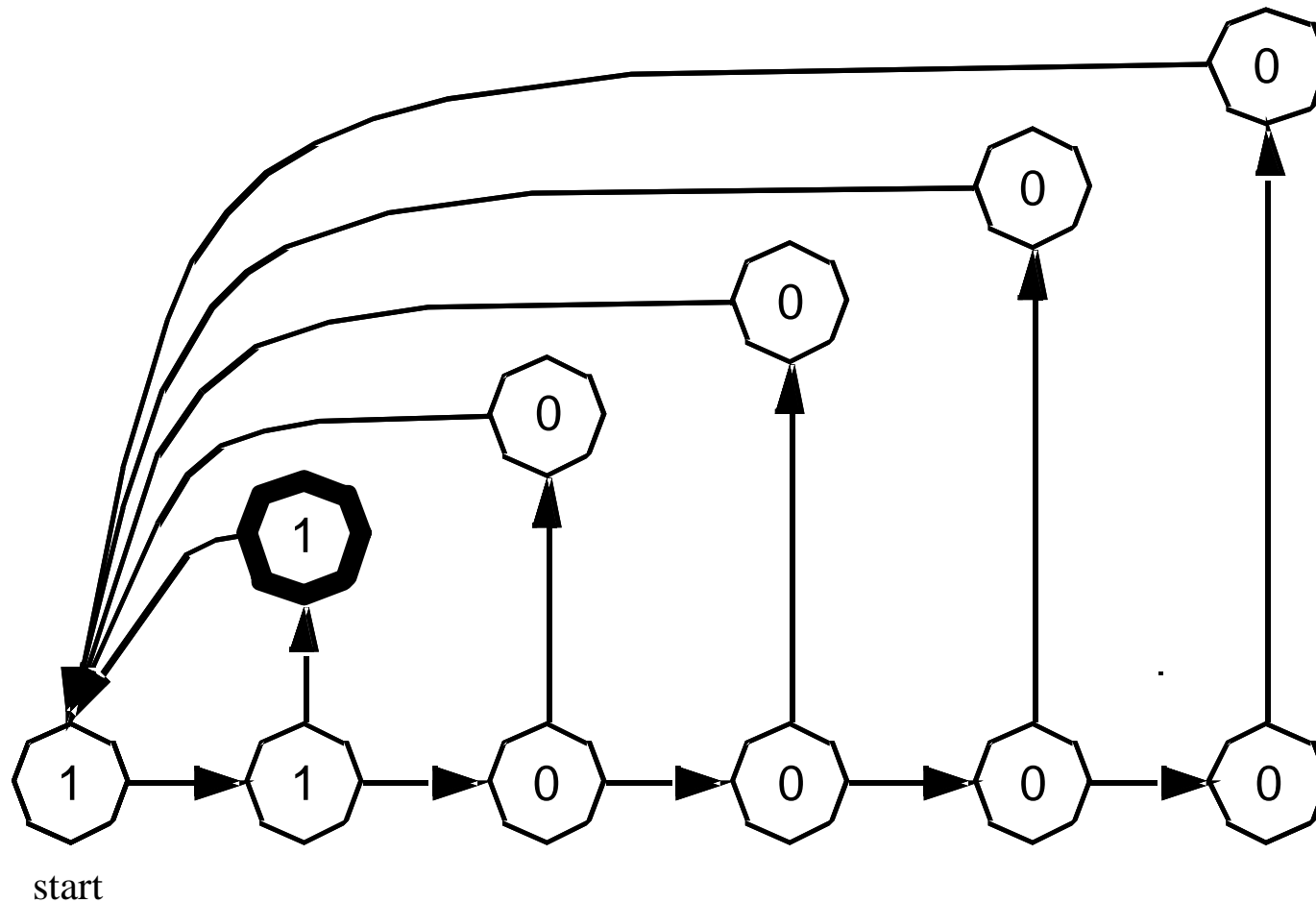


we break ties by going “up”

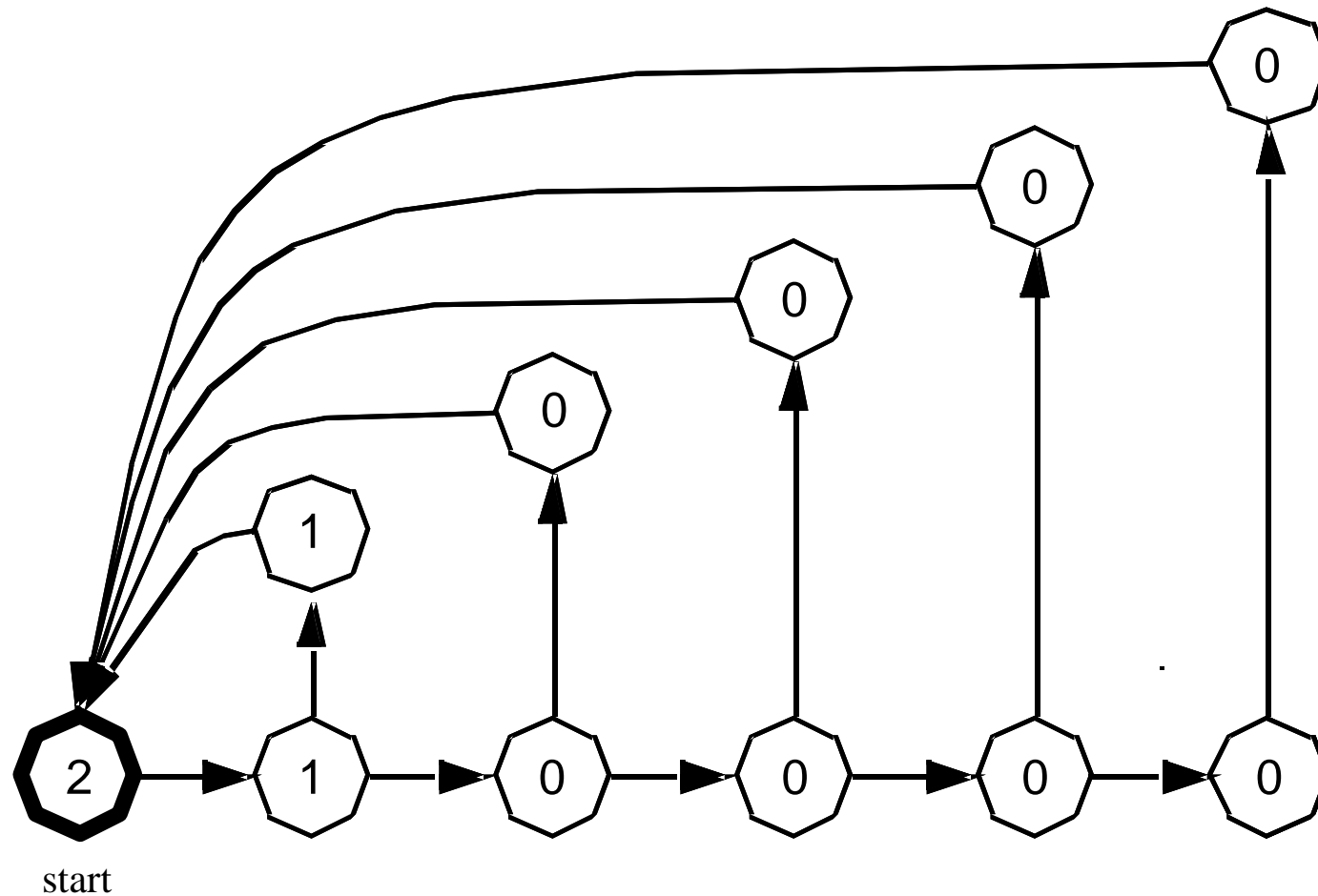
Real-Time Search Methods



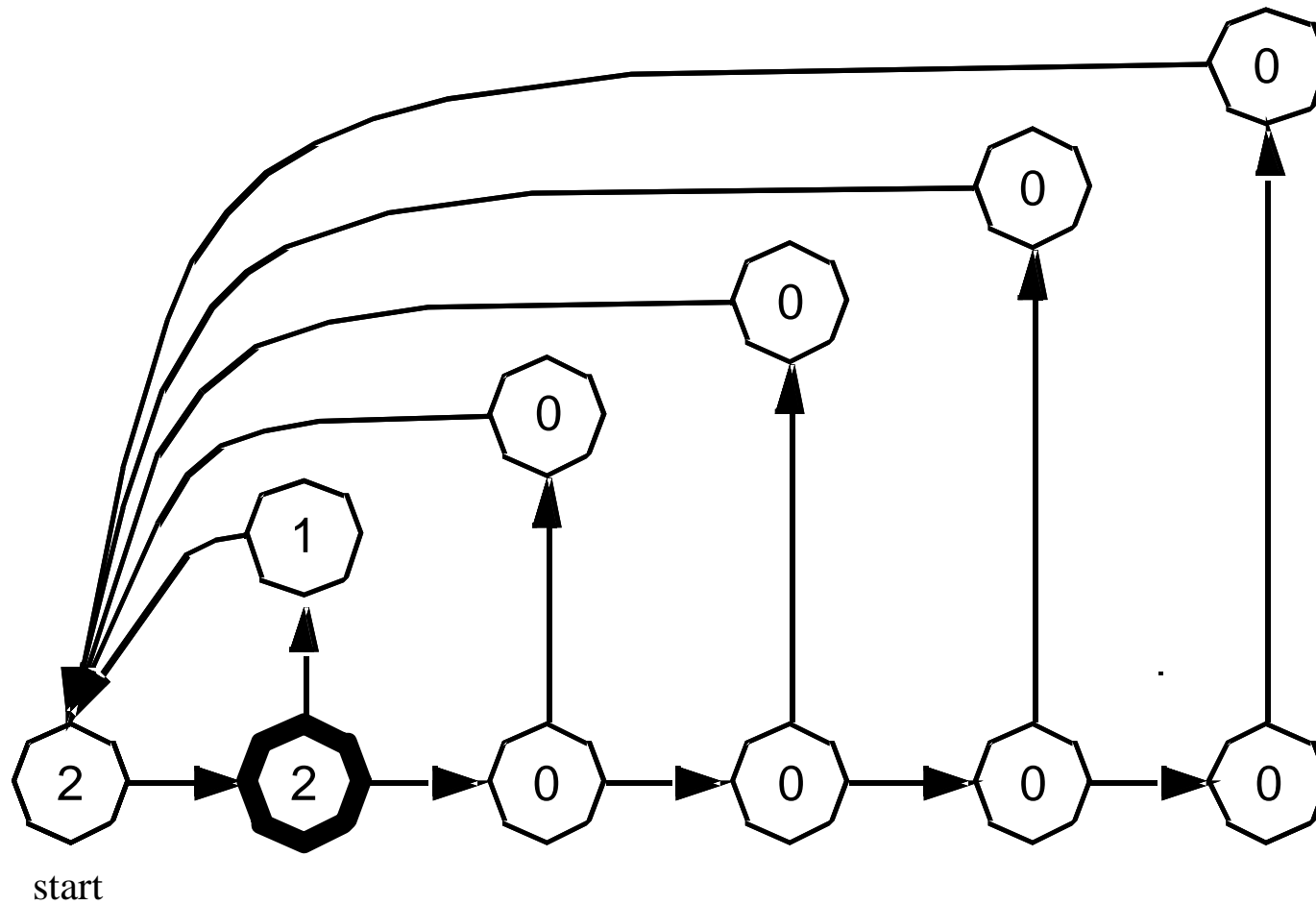
Real-Time Search Methods



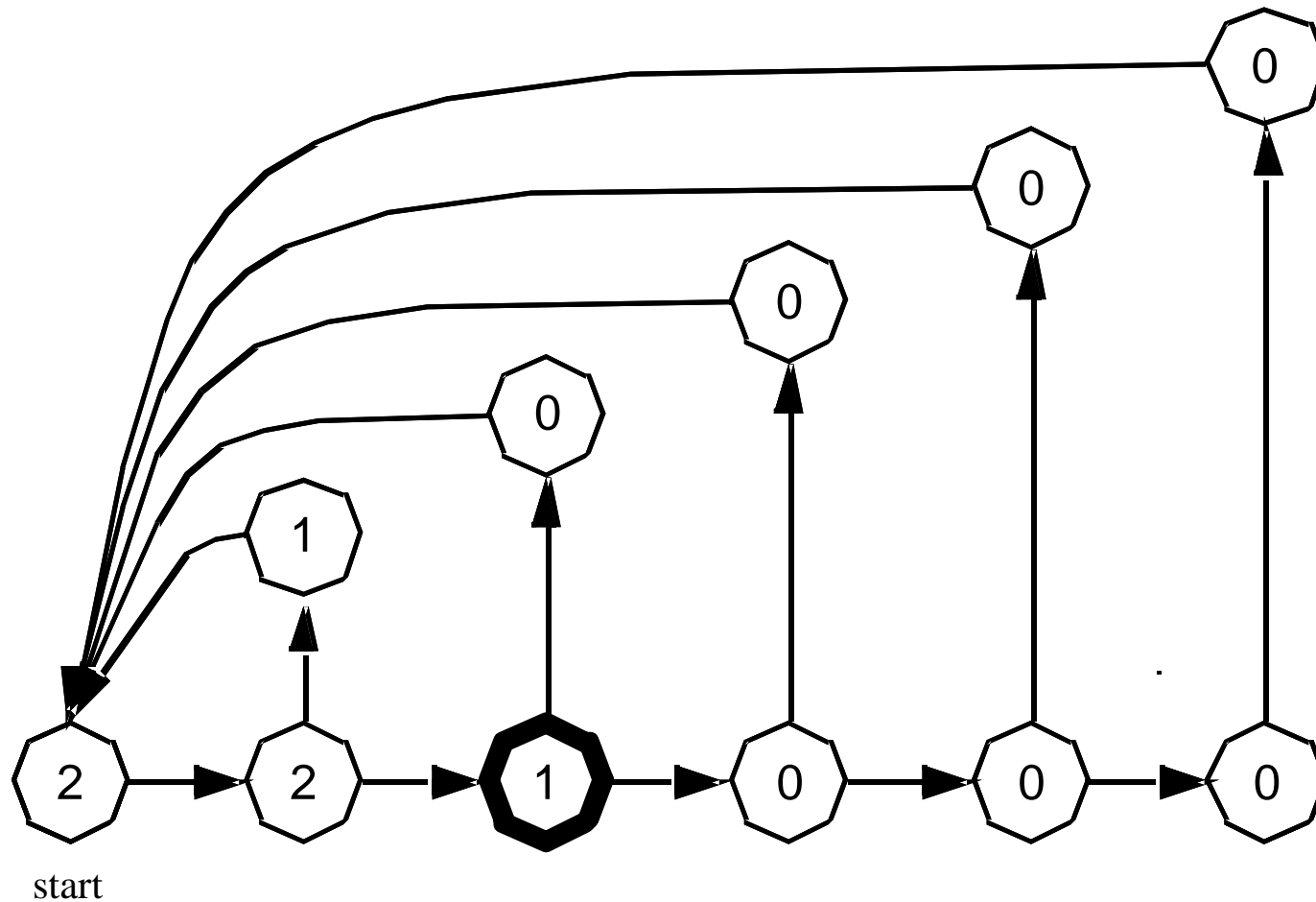
Real-Time Search Methods



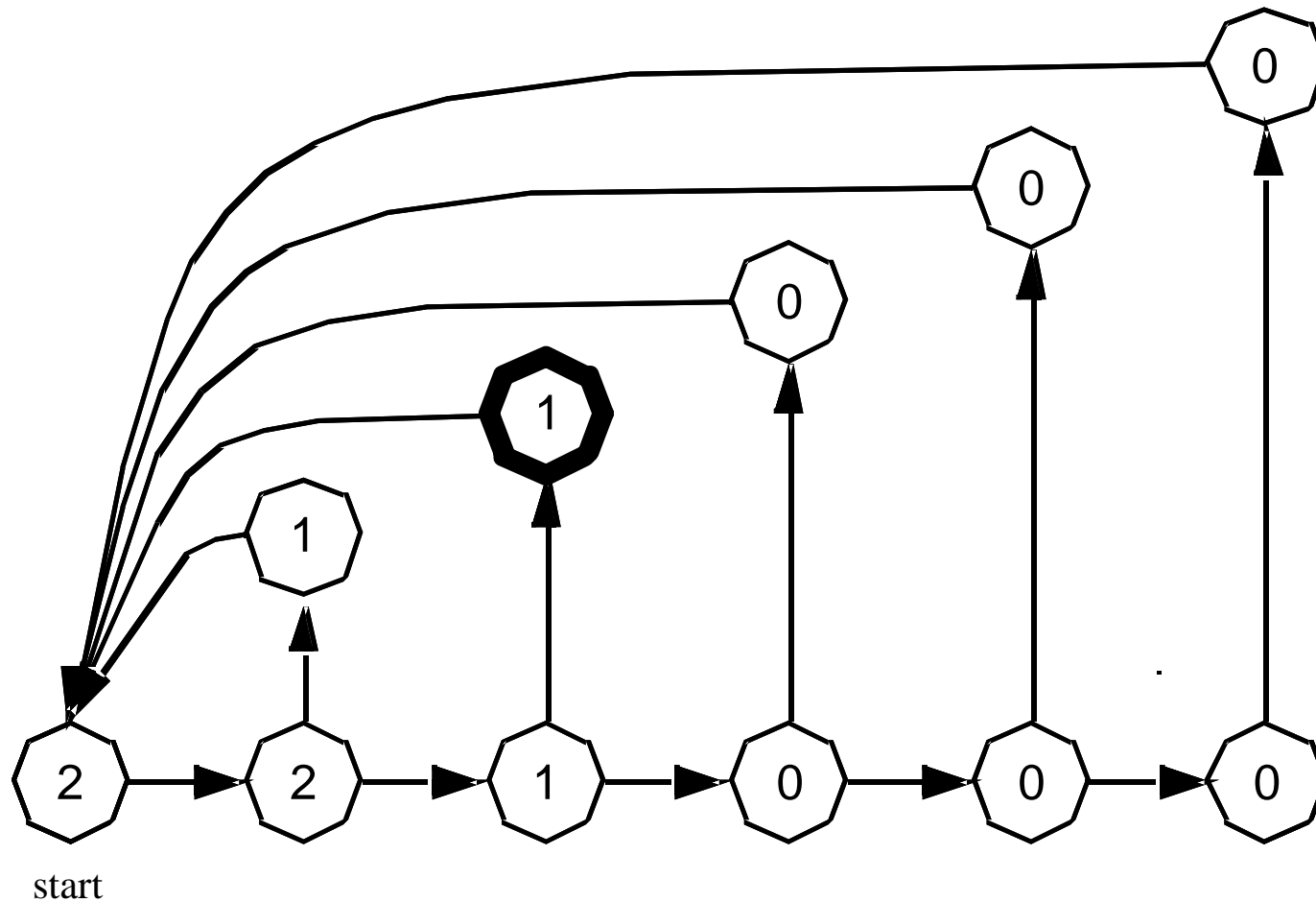
Real-Time Search Methods



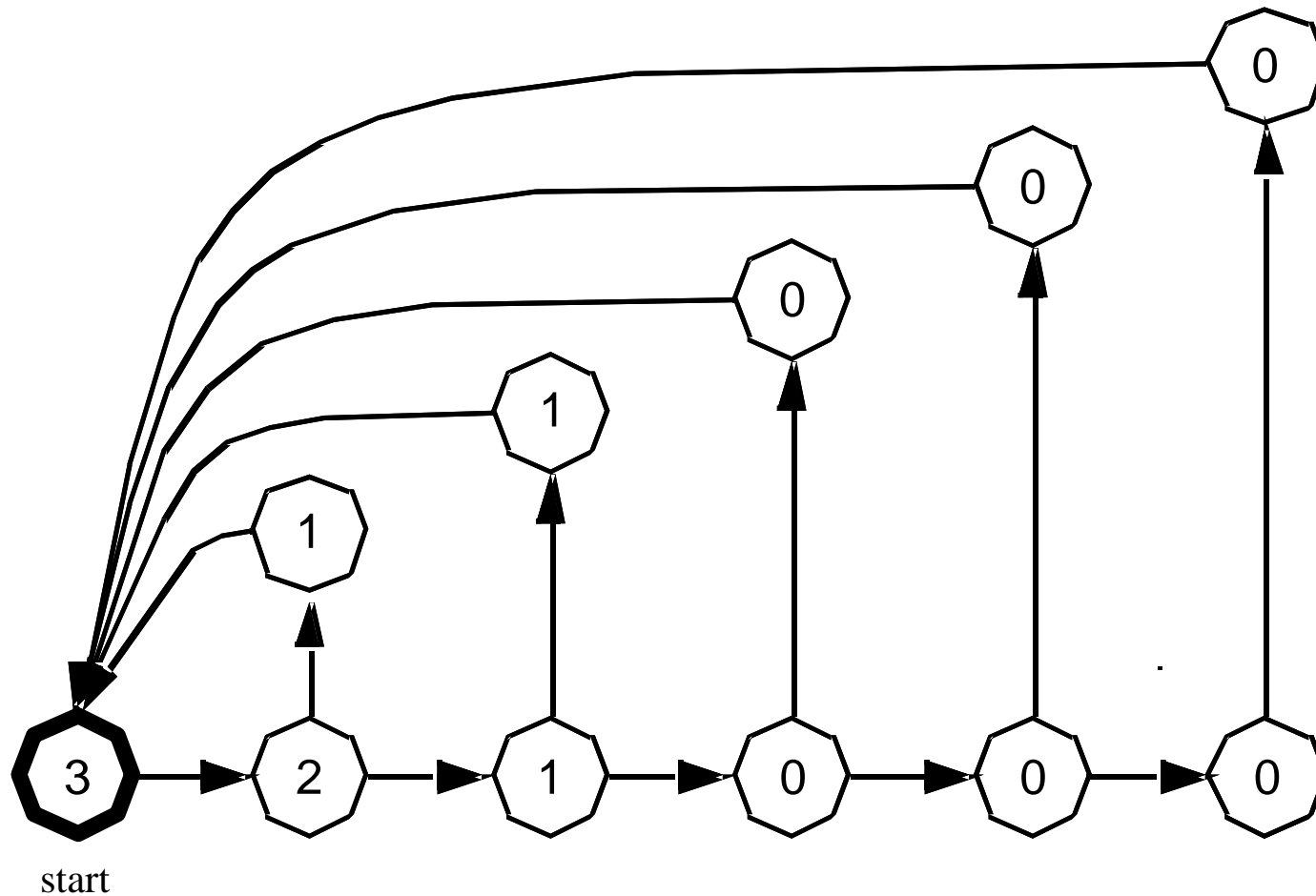
Real-Time Search Methods



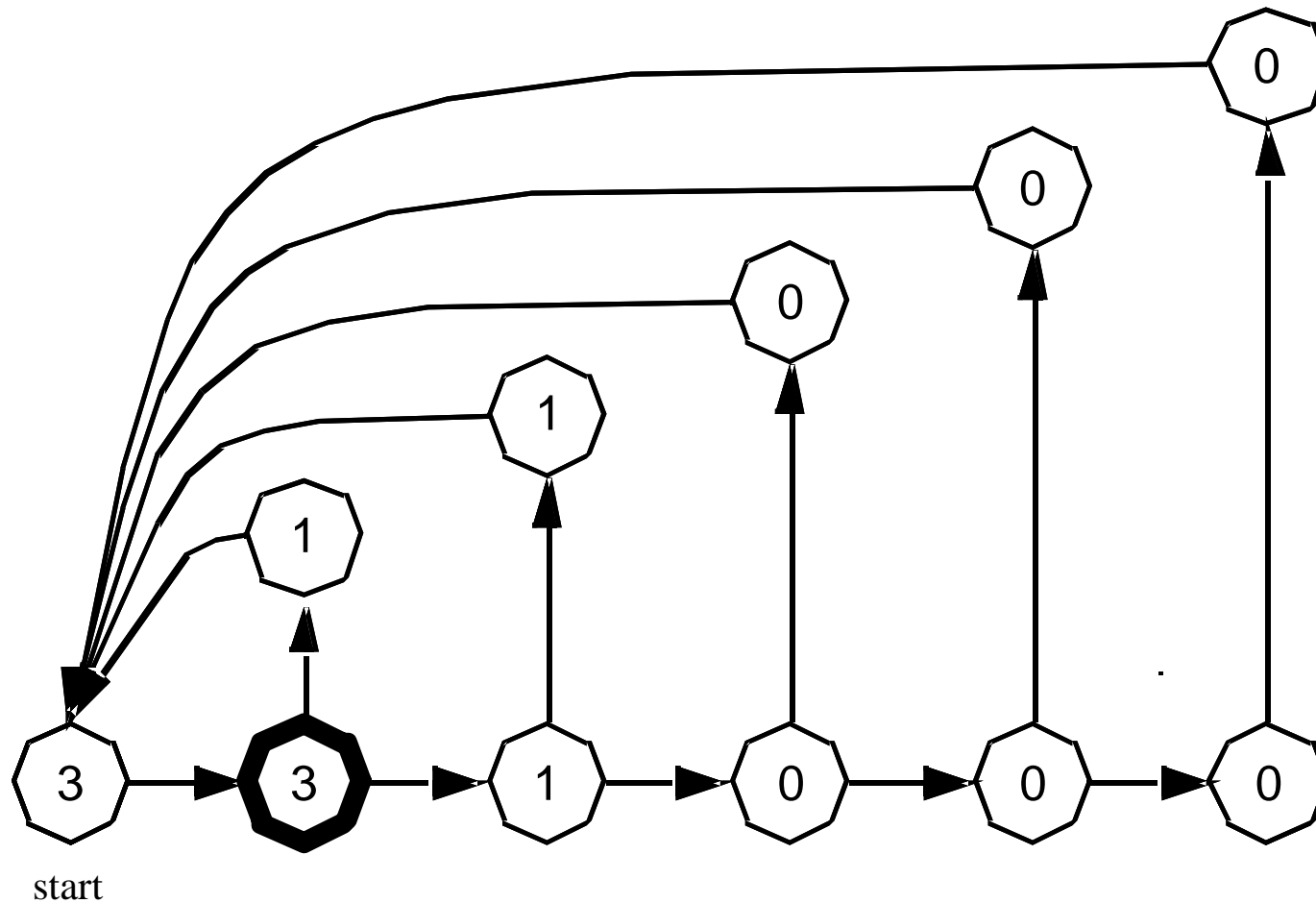
Real-Time Search Methods



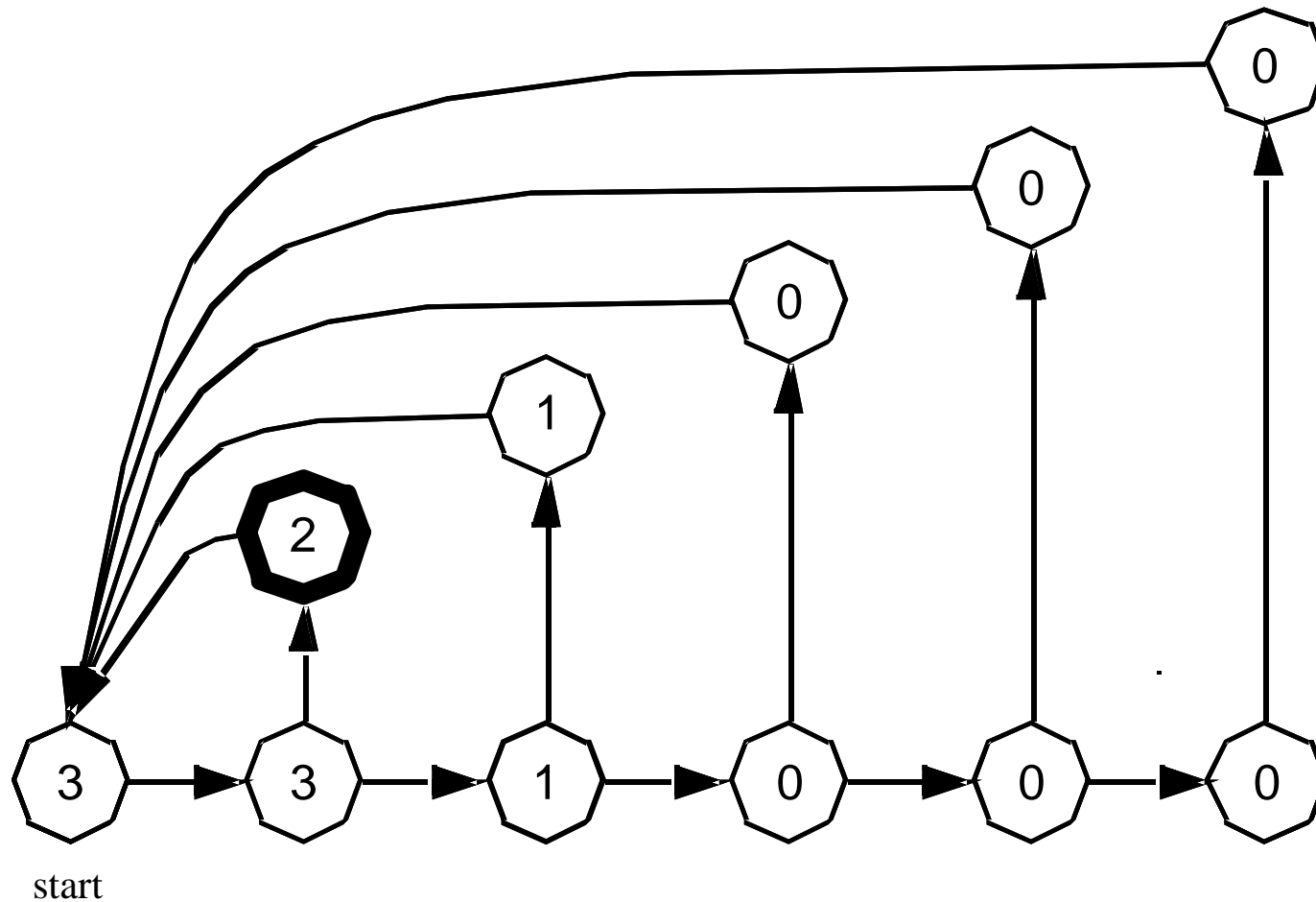
Real-Time Search Methods



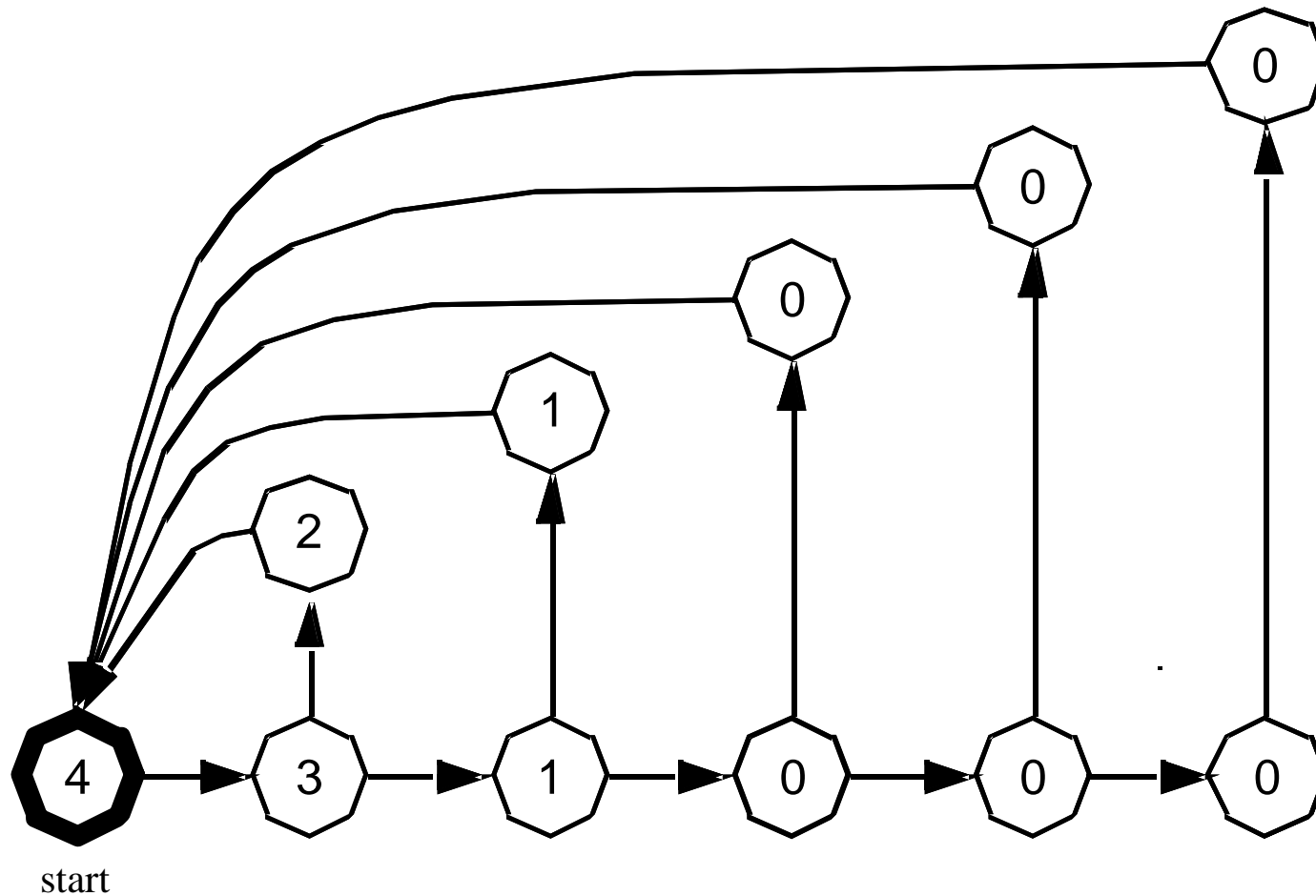
Real-Time Search Methods



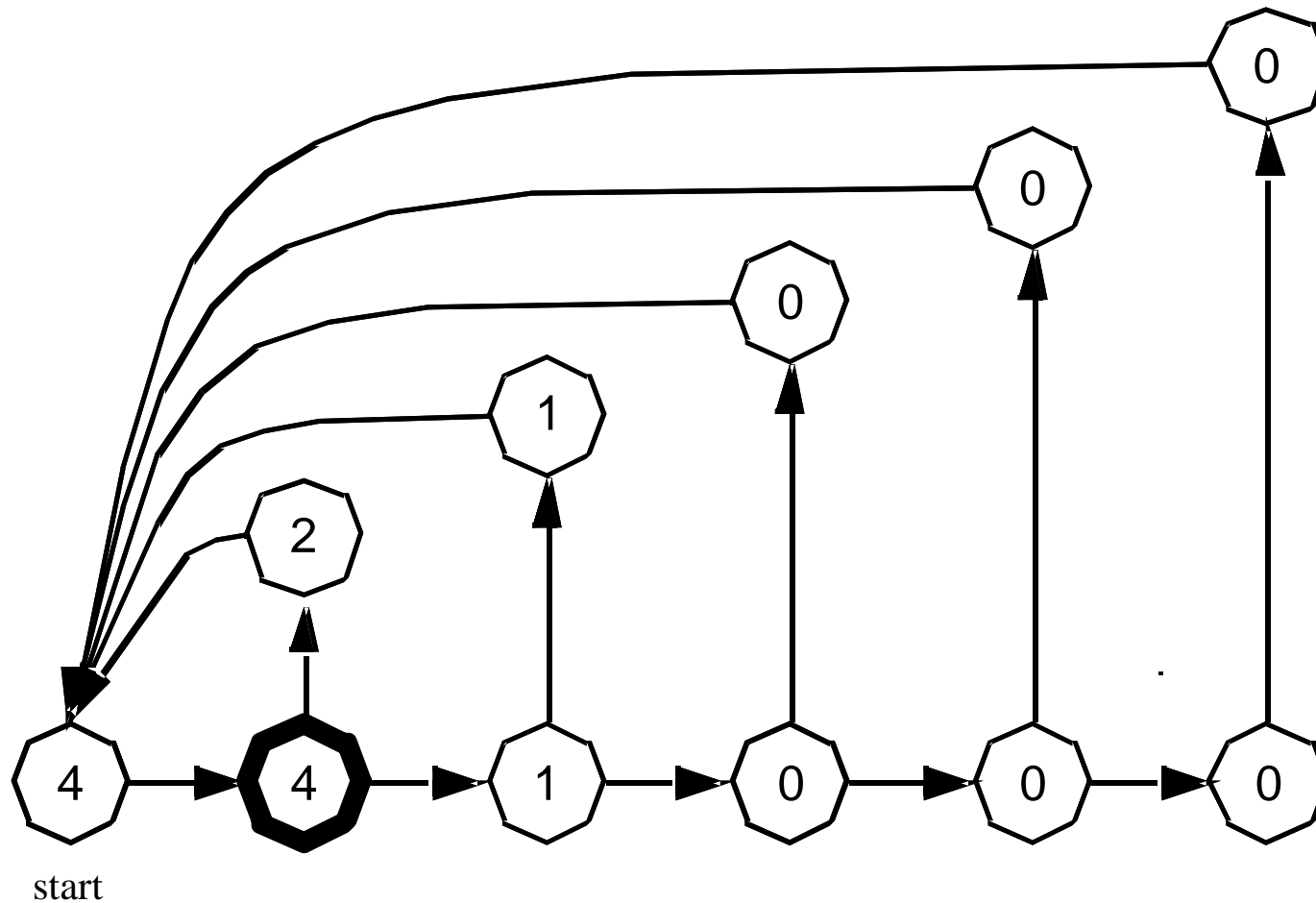
Real-Time Search Methods



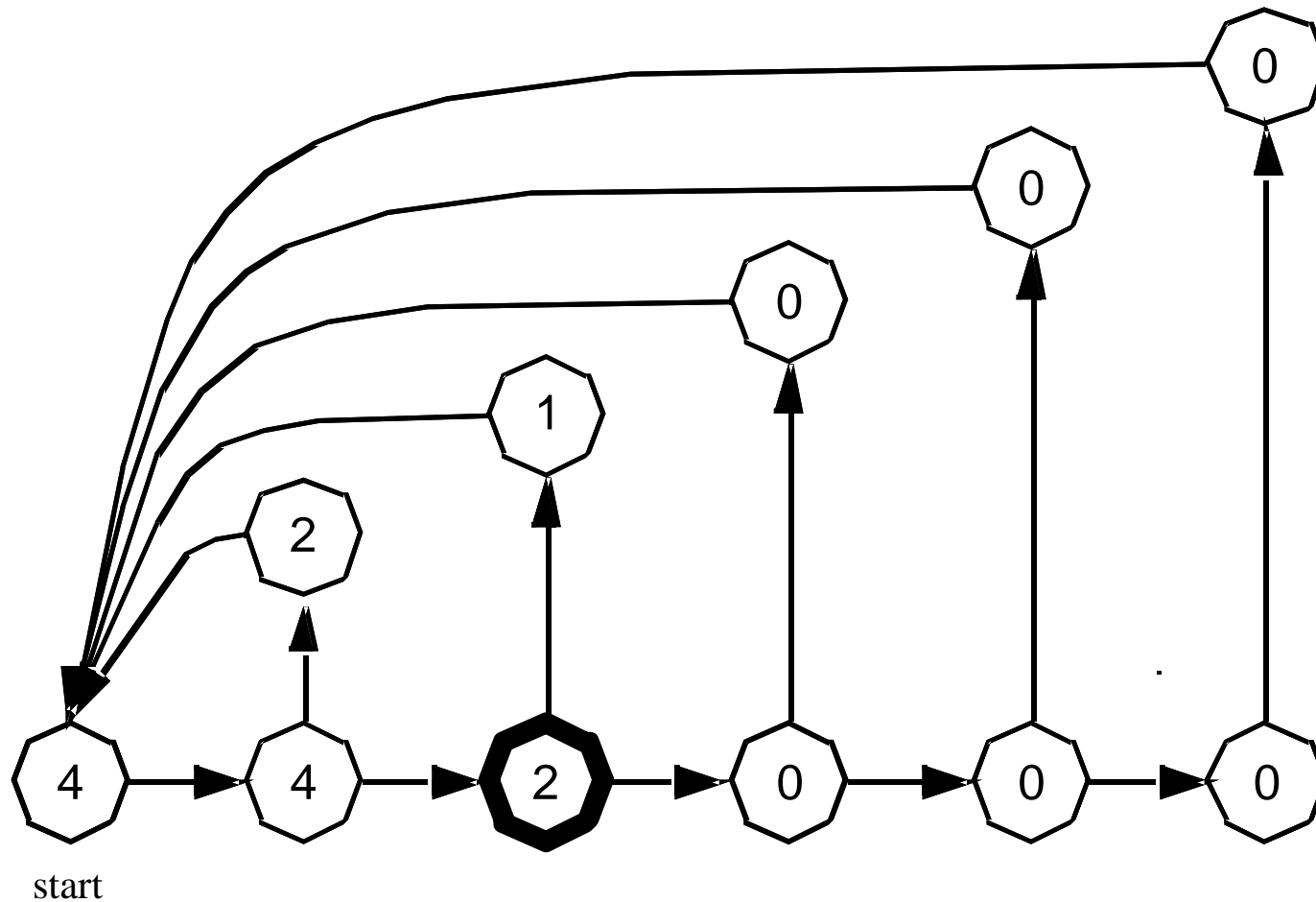
Real-Time Search Methods



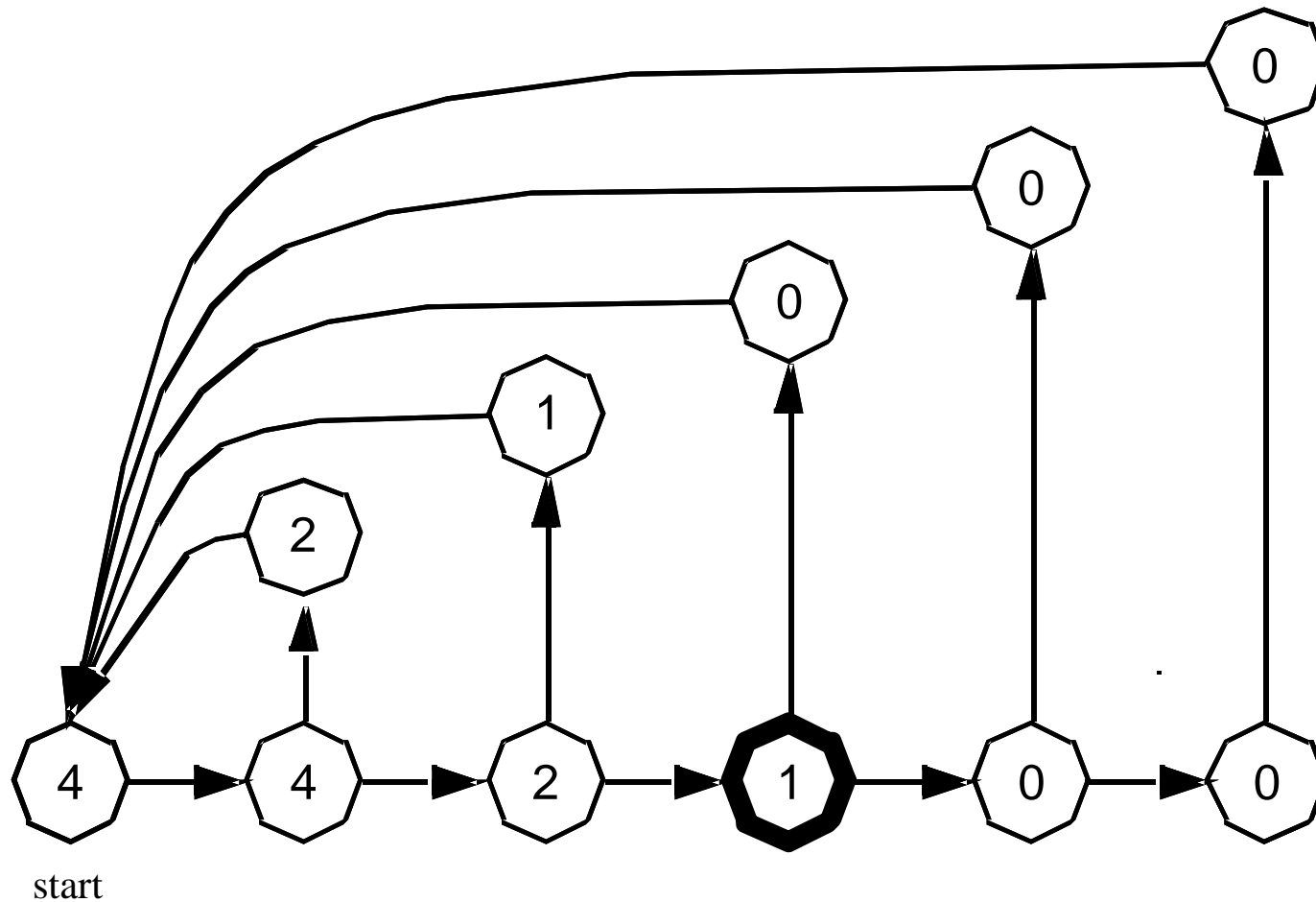
Real-Time Search Methods



Real-Time Search Methods



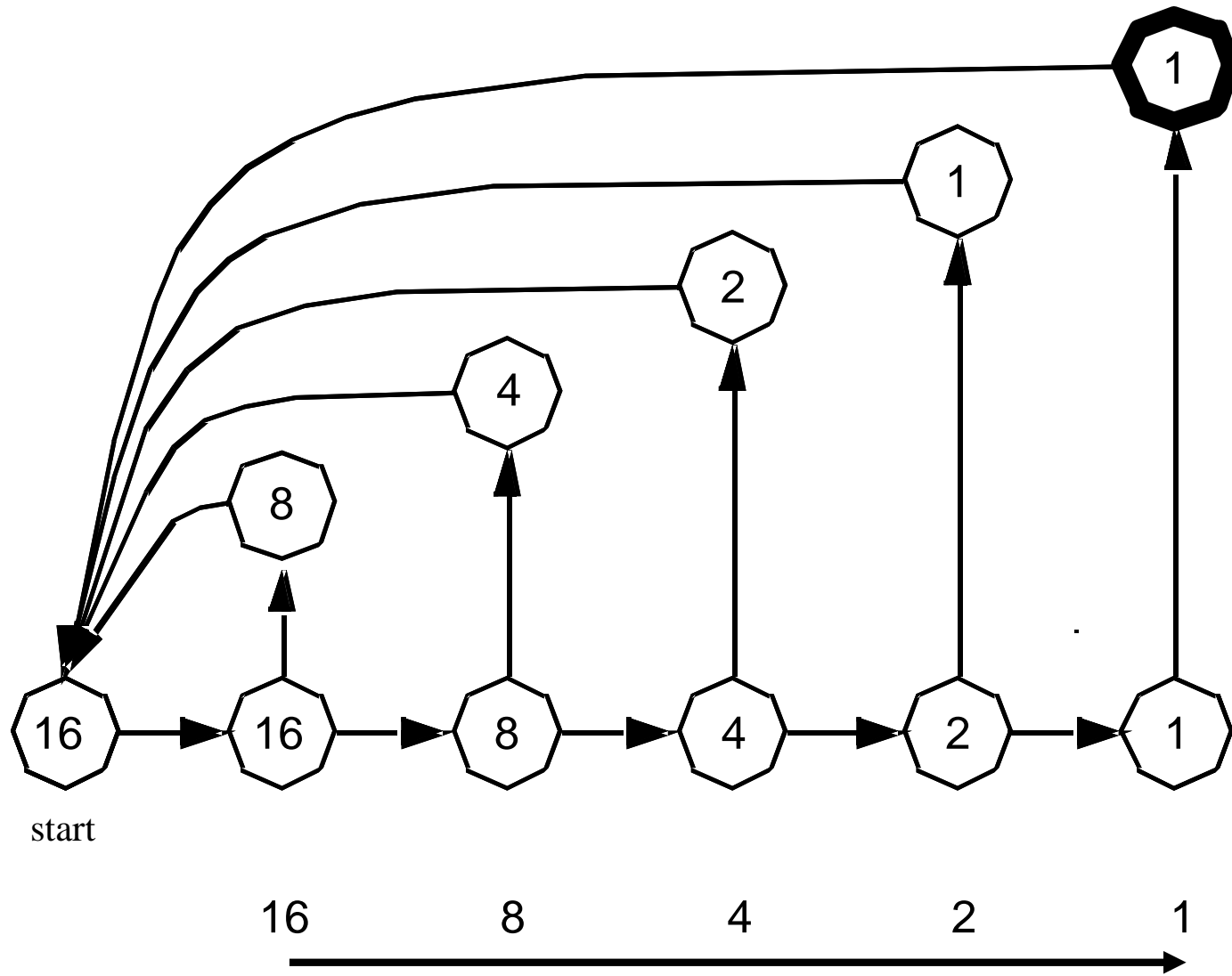
Real-Time Search Methods



Real-Time Search Methods

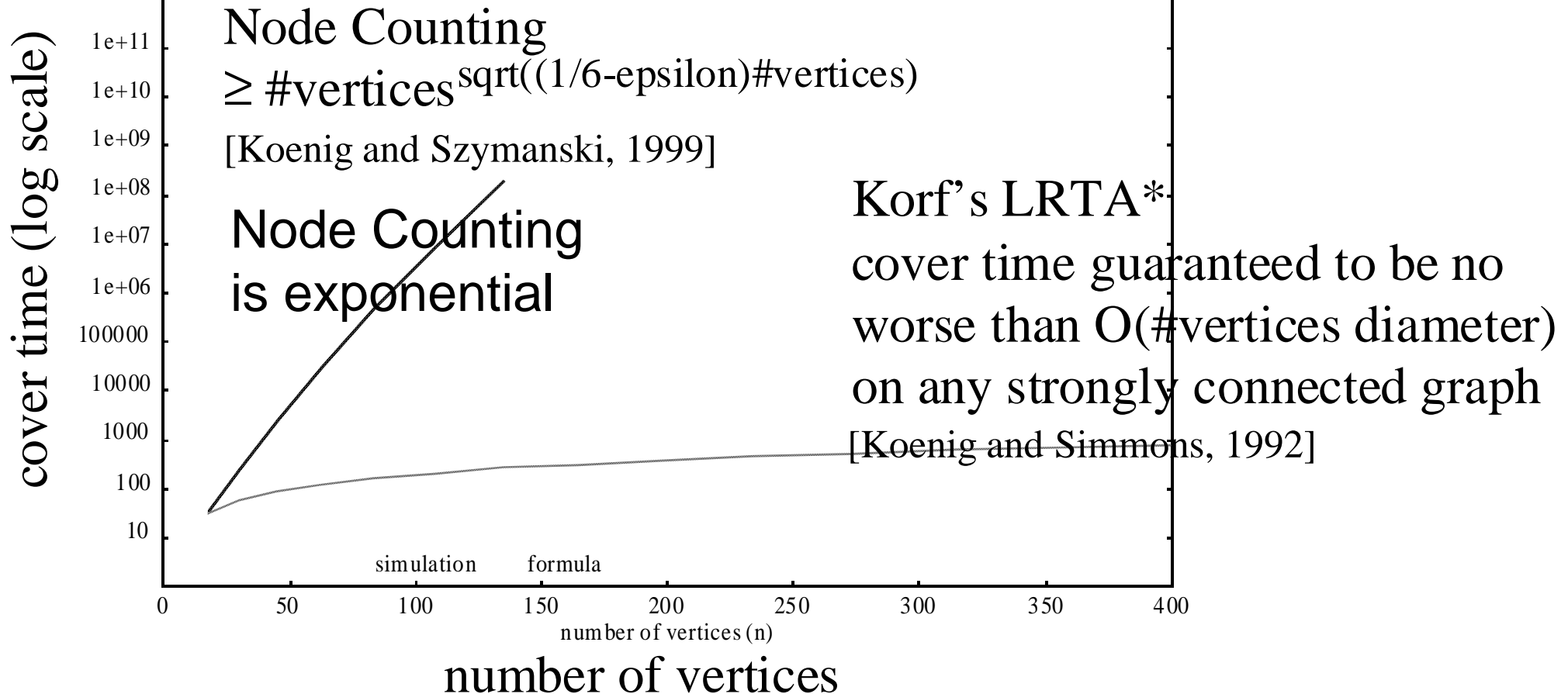
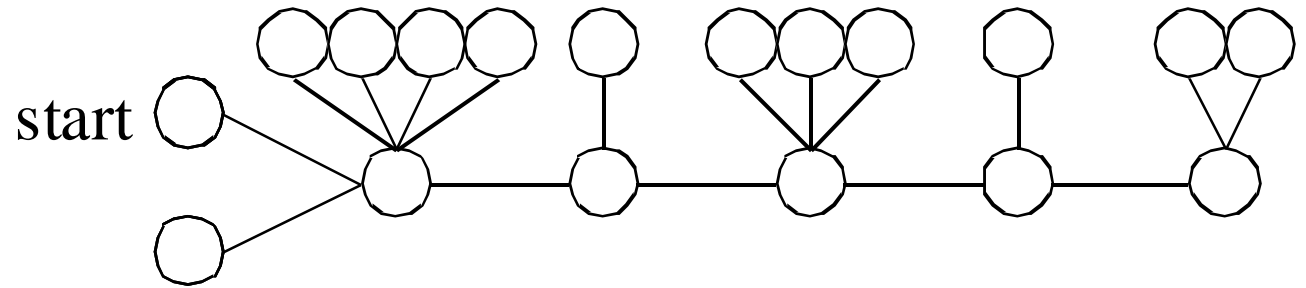
and so on ...

Real-Time Search Methods



Real-Time Search Methods

- connected undirected graphs



Real-Time Search Methods

- connected
undirected graphs
with bounded degree

your proof here

Node Counting

Is is unknown whether Node
Counting is polynomial

Korf's LRTA*

cover time guaranteed to be no
worse than $O(\text{\#vertices} \cdot \text{diameter})$
on any strongly connected graph
[Koenig and Simmons, 1992]

Real-Time Search Methods

- connected
undirected grids

your proof here

Node Counting

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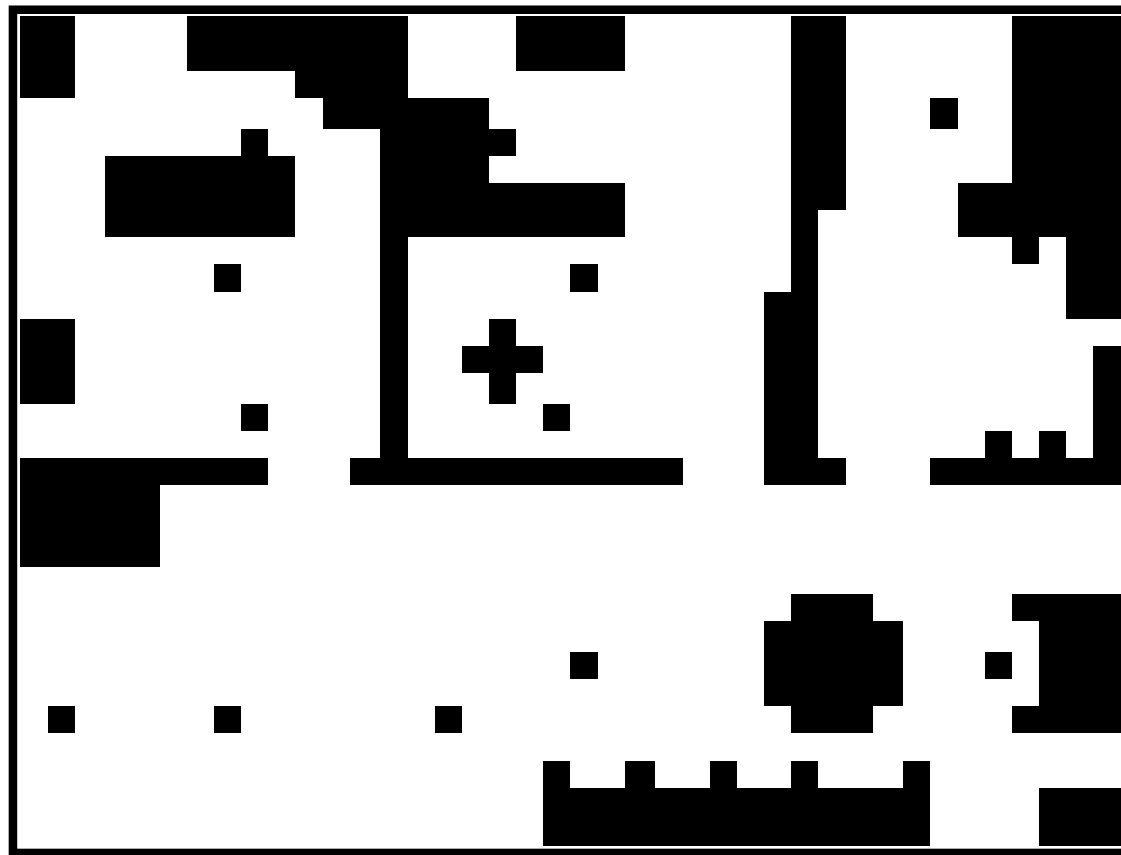
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Structure

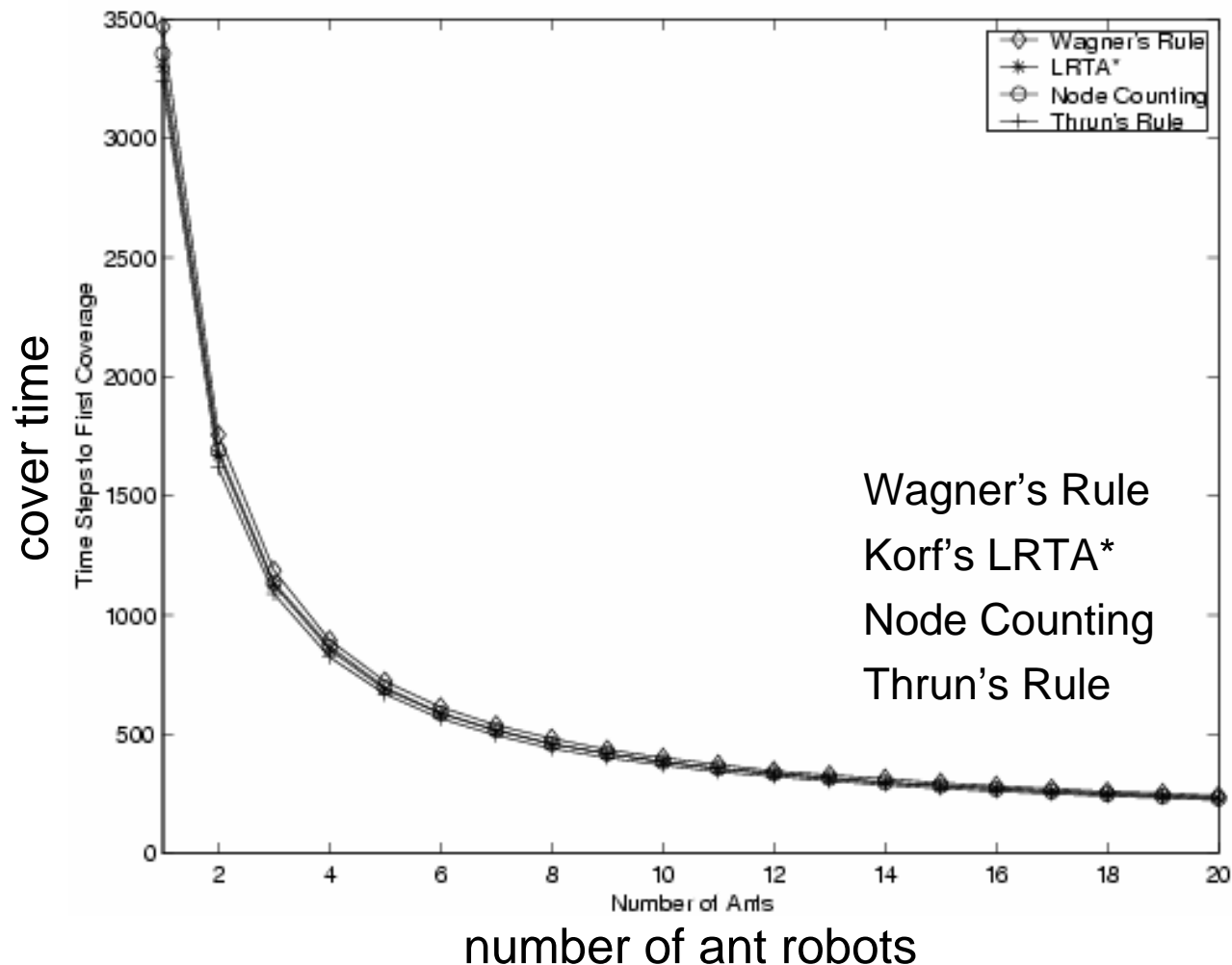
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Real-Time Search Methods



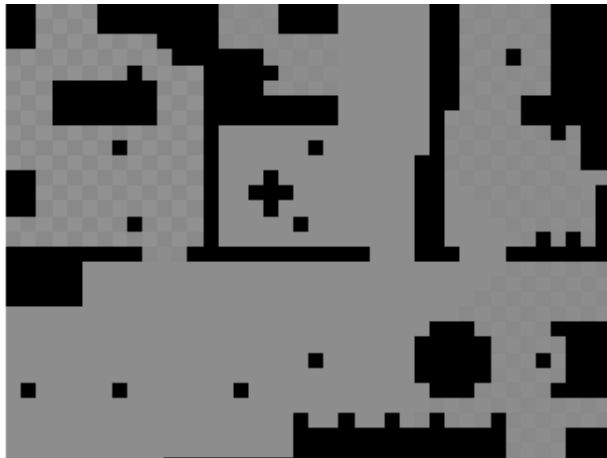
Real-Time Search Methods

- How fast is the coverage on average?

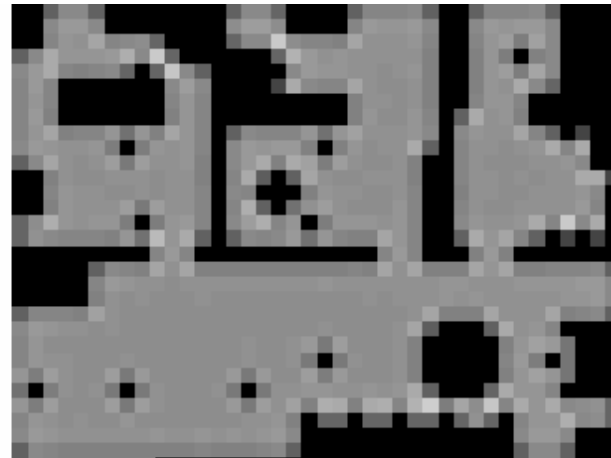


Real-Time Search Methods

- How even is the coverage on average?



Node Counting



Korf's LRTA*



Wagner's Rule



Thrun's Rule

Structure

- Motivation
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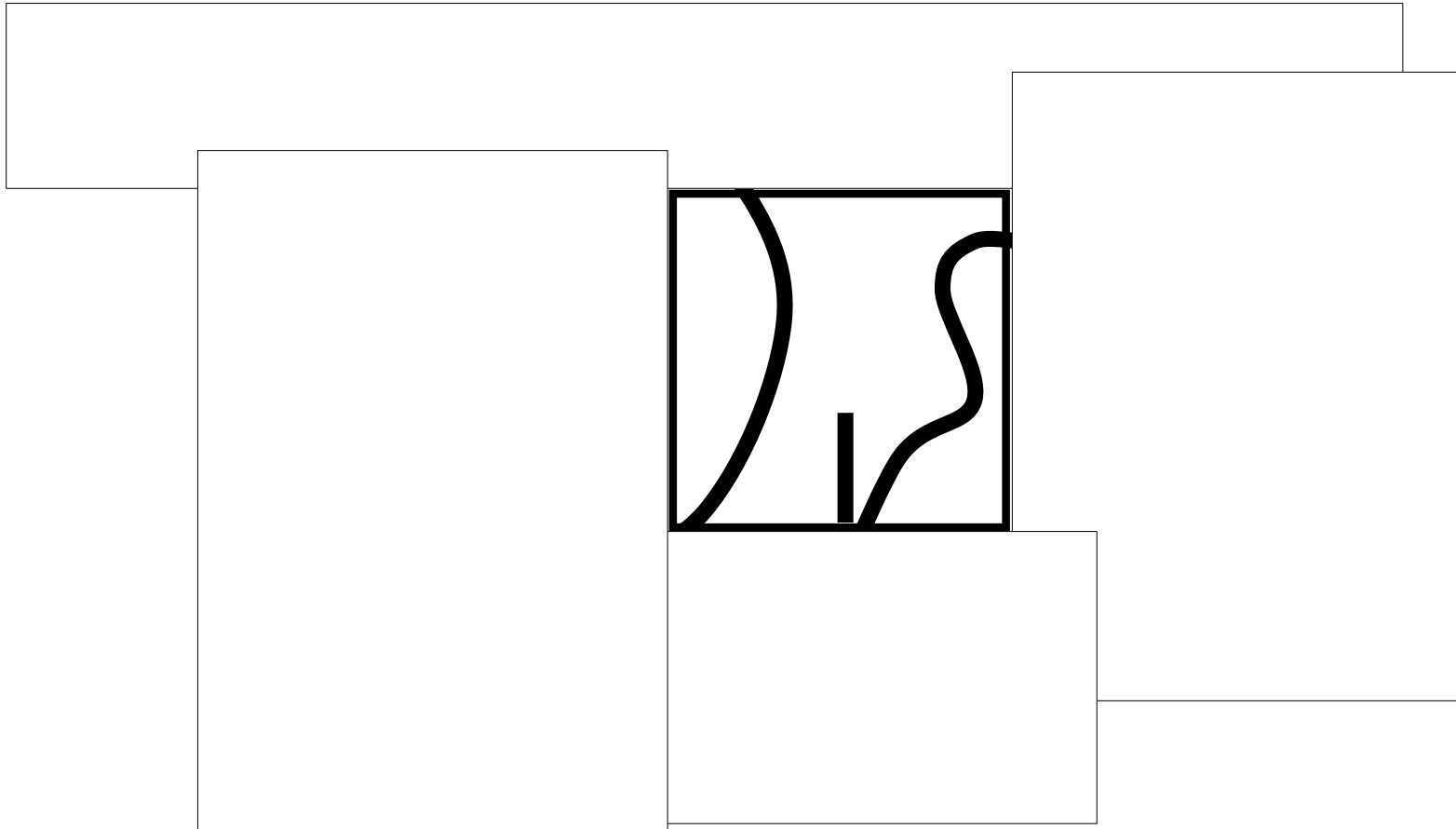
Real Robots and Simulations

- Ant robots that use Node Counting are easy to implement.



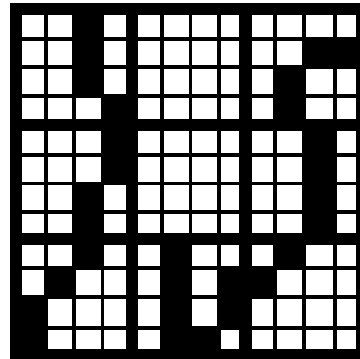
Real Robots and Simulations

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Real Robots and Simulations

- Ant robots that use Node Counting are easy to implement.



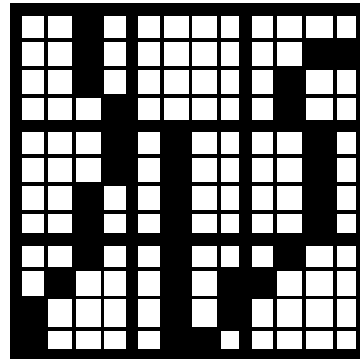
Real Robots and Simulations

- Ant robots that use Node Counting are easy to implement.

4	0	4
4	0	4
4	7	2

Real Robots and Simulations

- Ant robots that use Node Counting are easy to implement.



Real Robots and Simulations

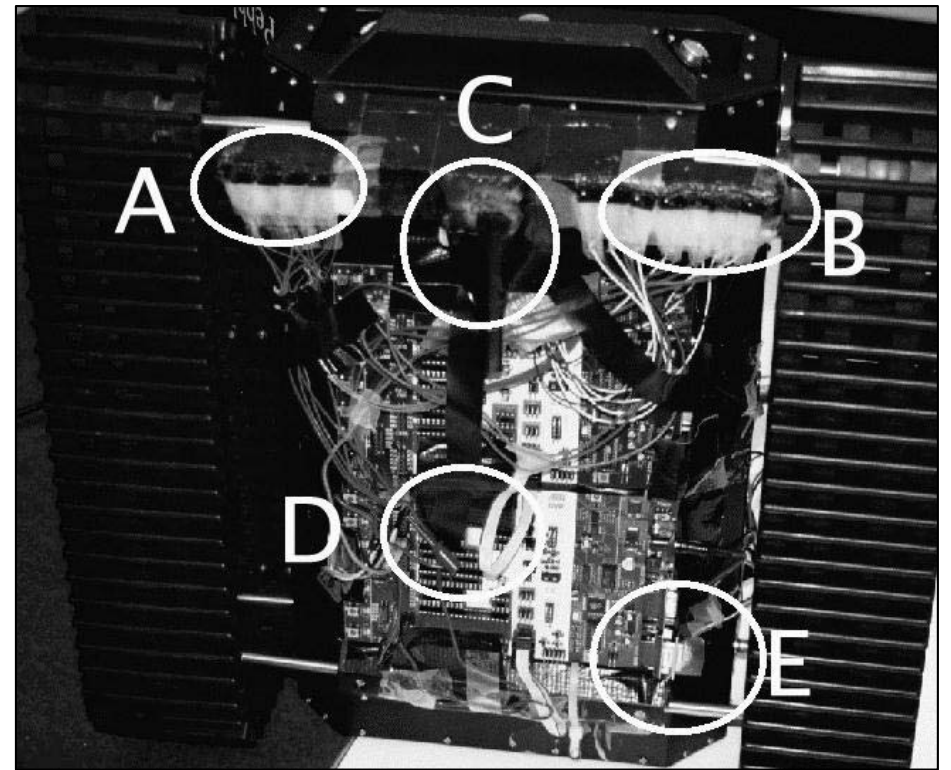
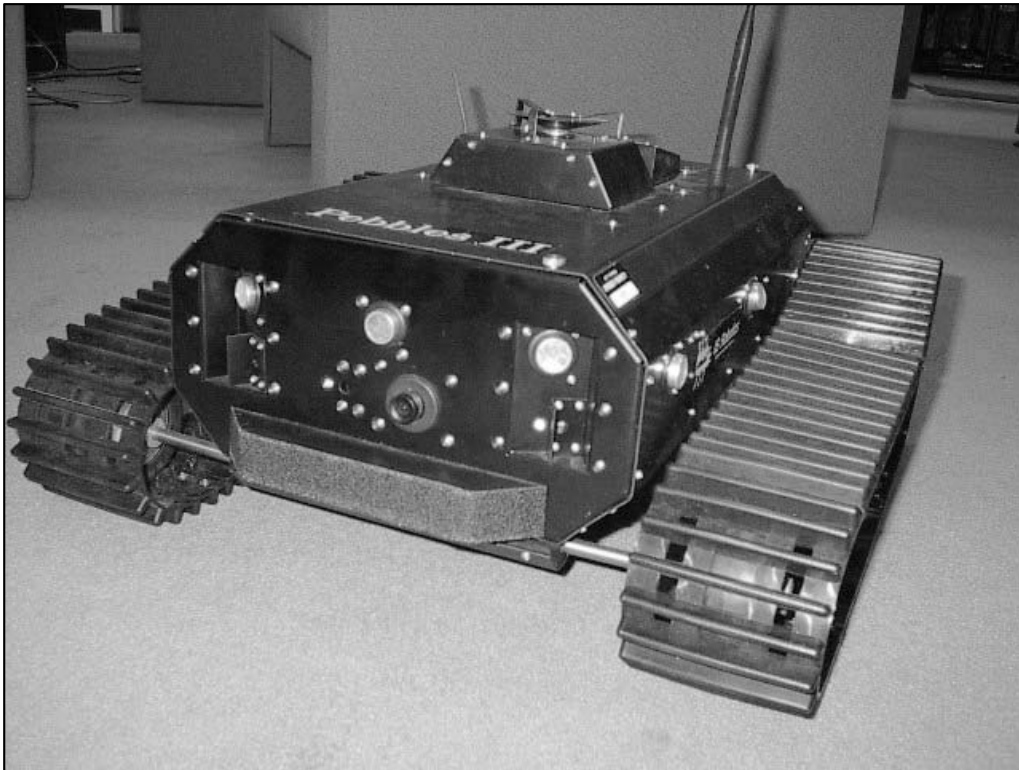
- Ant robots that use Node Counting are easy to implement.

4	0	4
4	4	4
4	7	2

your system here

Real Robots and Simulations

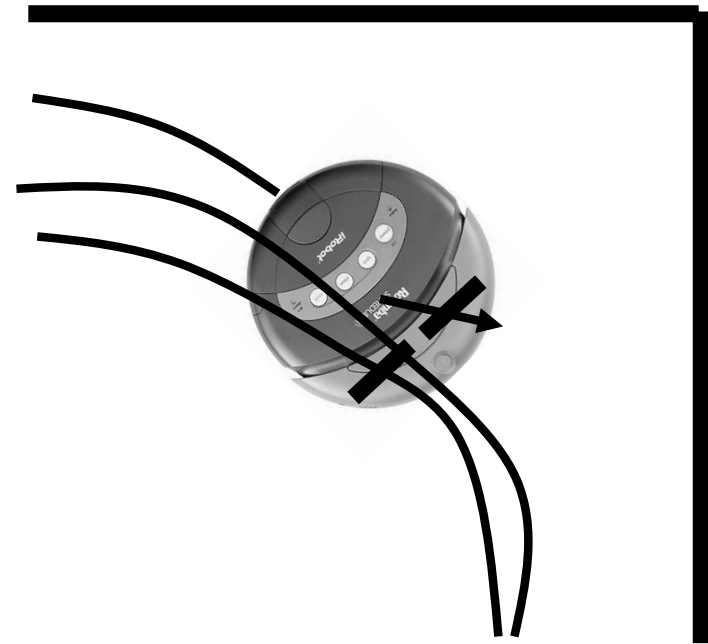
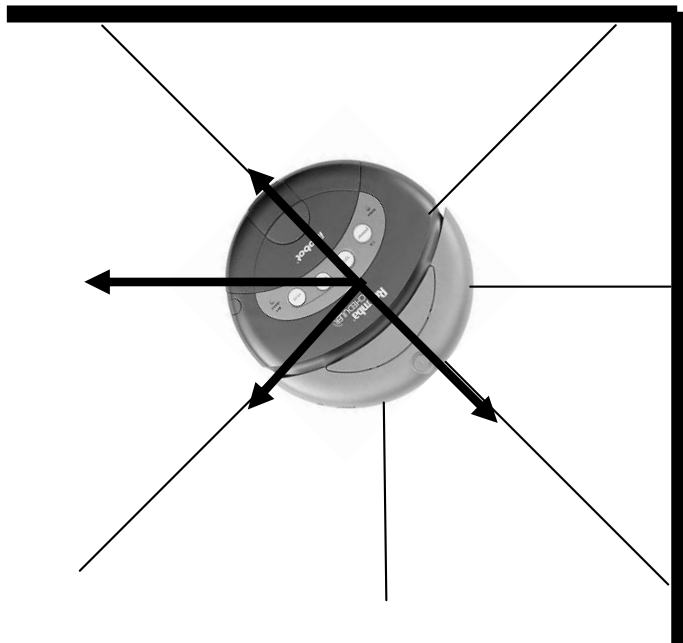
- Ant robot hardware: Pebbles III



A: trail sensor, B: trail sensor, C: pen, D: micro-controller, E: RS232 interface

Real Robots and Simulations

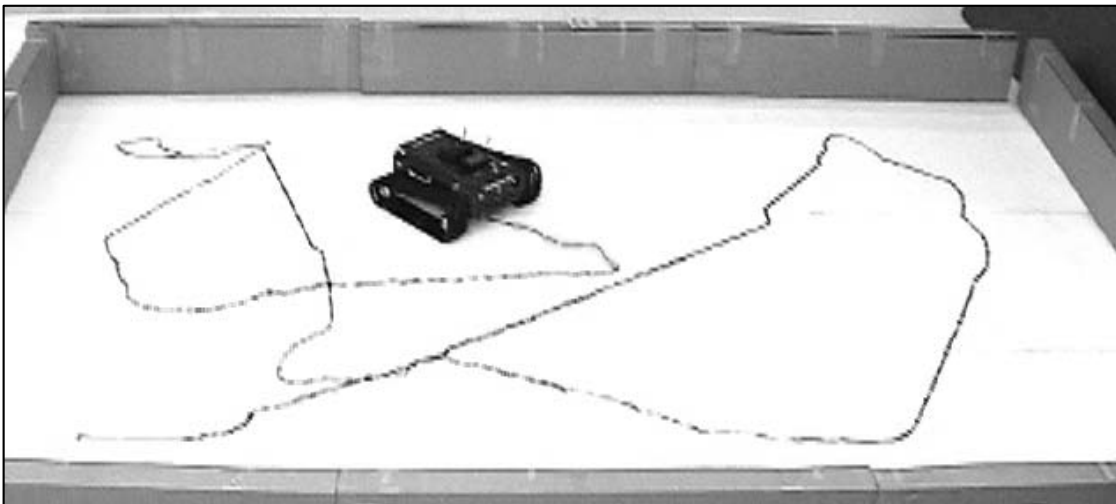
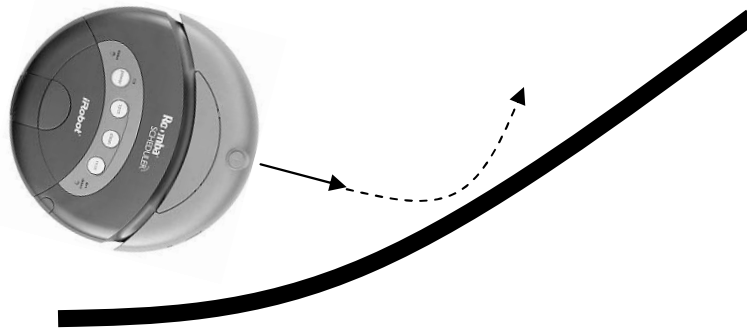
- Ant robot software: schema-based navigation



→ obstacle-avoidance behavior; → trail-avoidance behavior

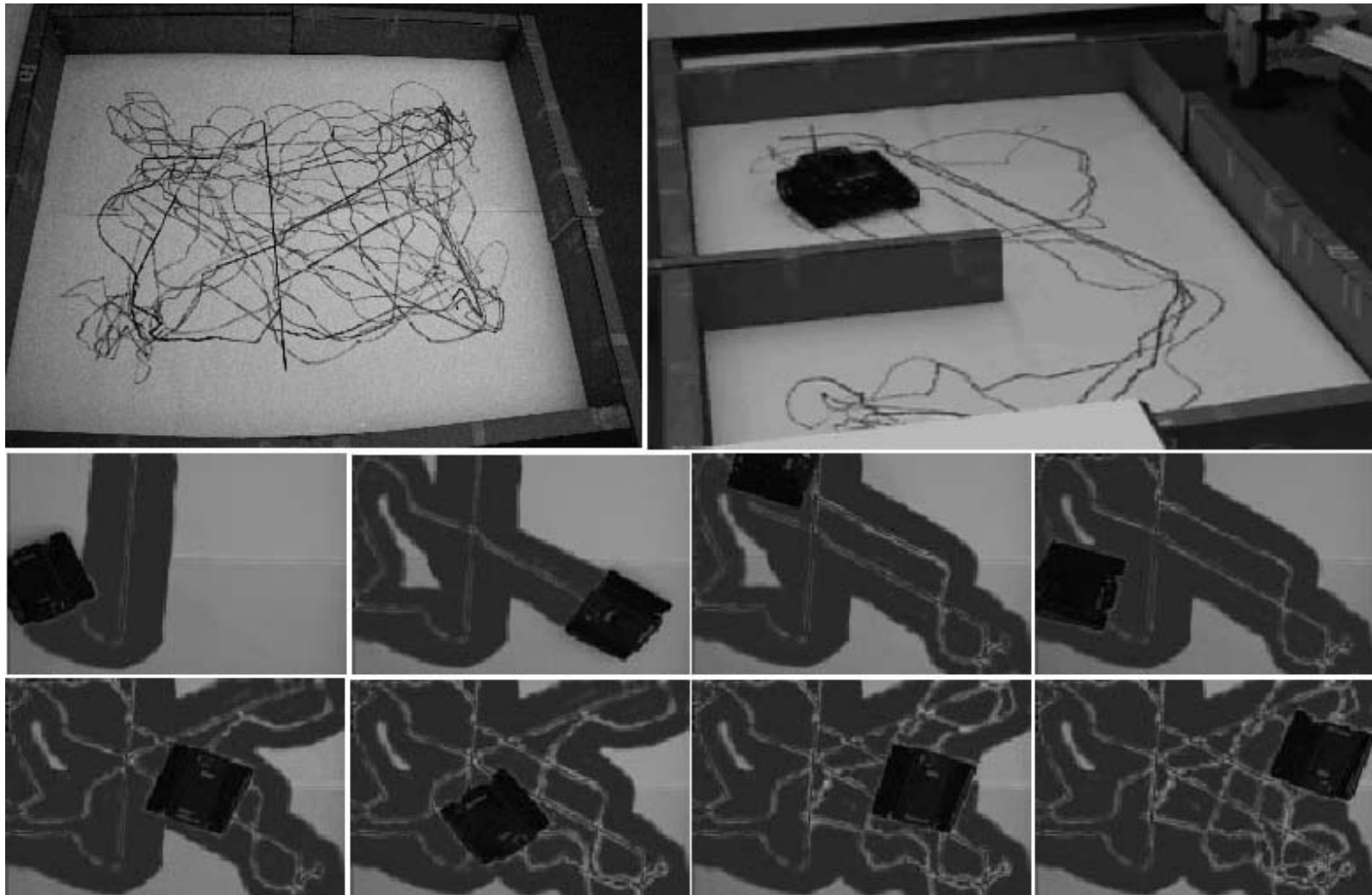
Real Robots and Simulations

- Ant robot software: importance of time delays



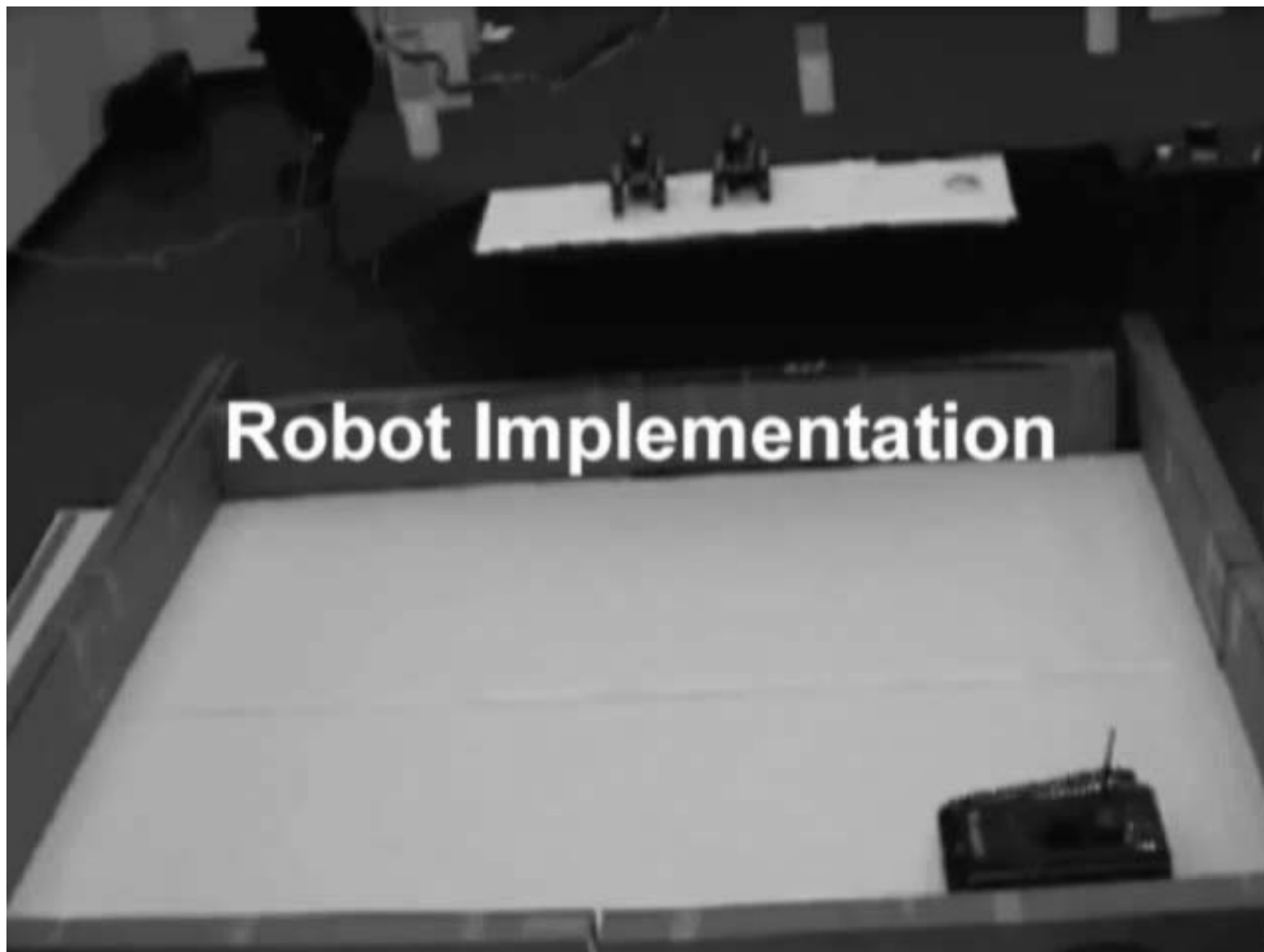
Real Robots and Simulations

- Empirical results



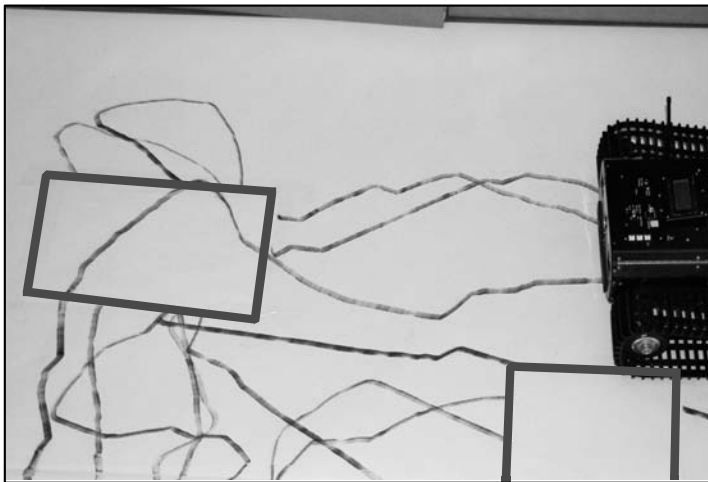
Real Robots and Simulations

- Empirical results

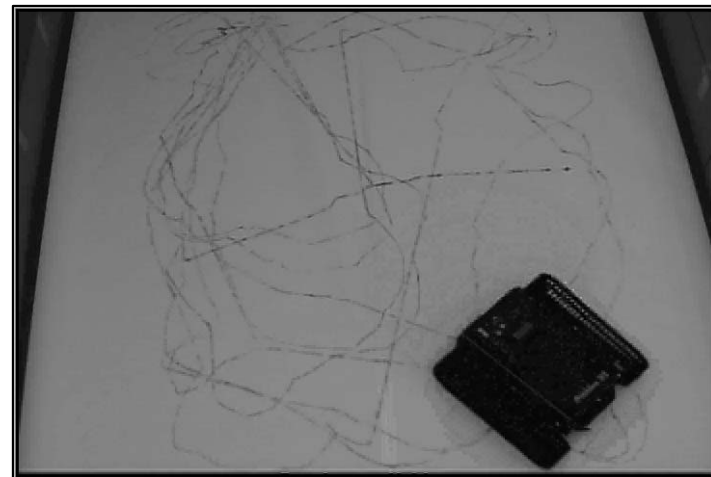


Real Robots and Simulations

- Our ant robots cover closed terrain even if
 - they don't know the terrain in advance;
 - some ant robots fail;
 - some ant robots are moved without realizing this;
 - some trails are destroyed.



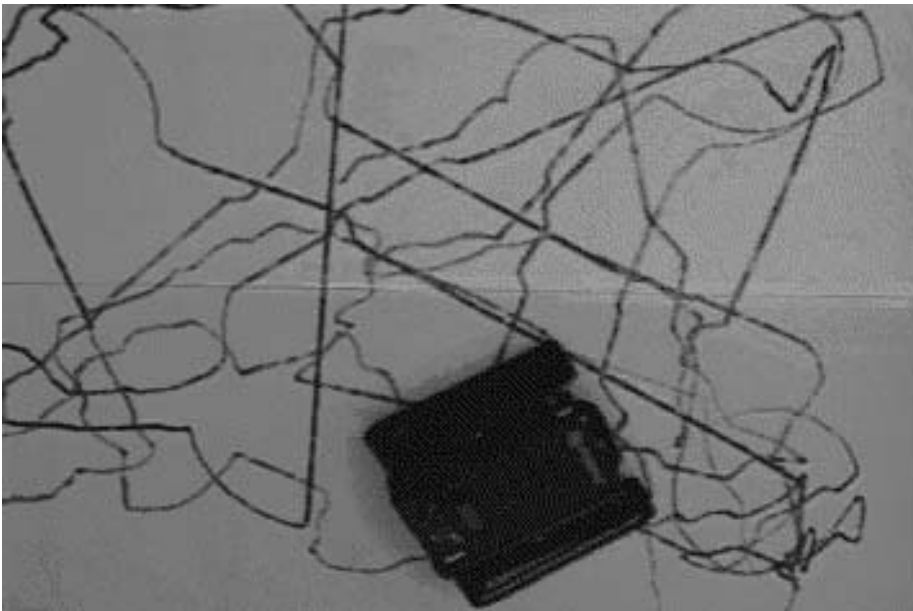
destroyed area of trails



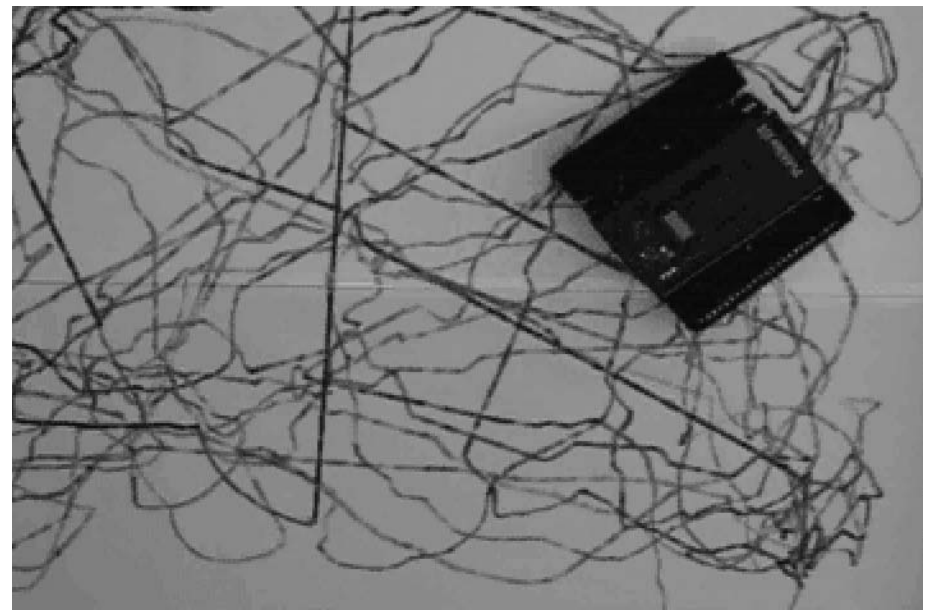
low-intensity trails

Real Robots and Simulations

- The terrain gets saturated with trails over time.

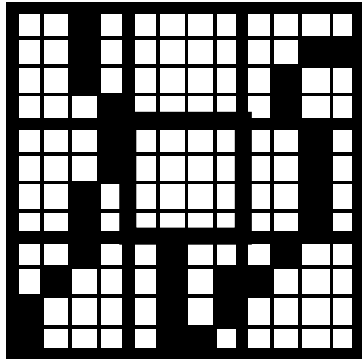


end of first coverage



end of third coverage

Real Robots and Simulations



drop a drop of ink into a randomly chosen small cell in this large cell

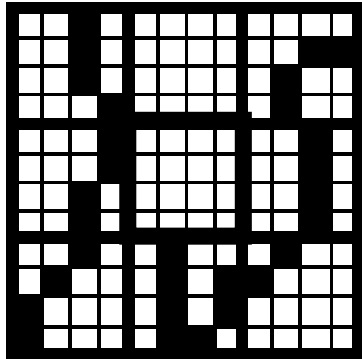
4	0	4
4	0	4
4	7	2

increase the u-value of this large cell by one with probability $(16-0)/16$

Initially, the u-values $u(s)$ are zero for all cells s .

1. $s := \text{start cell}$
2. $s' := \text{a cell adjacent to cell } s \text{ with a minimal } u\text{-value}$
3. $u(s) := 1 + u(s)$
4. move the ant robot to cell s'
5. go to 2

Real Robots and Simulations



drop a drop of ink into a randomly chosen small cell in this large cell

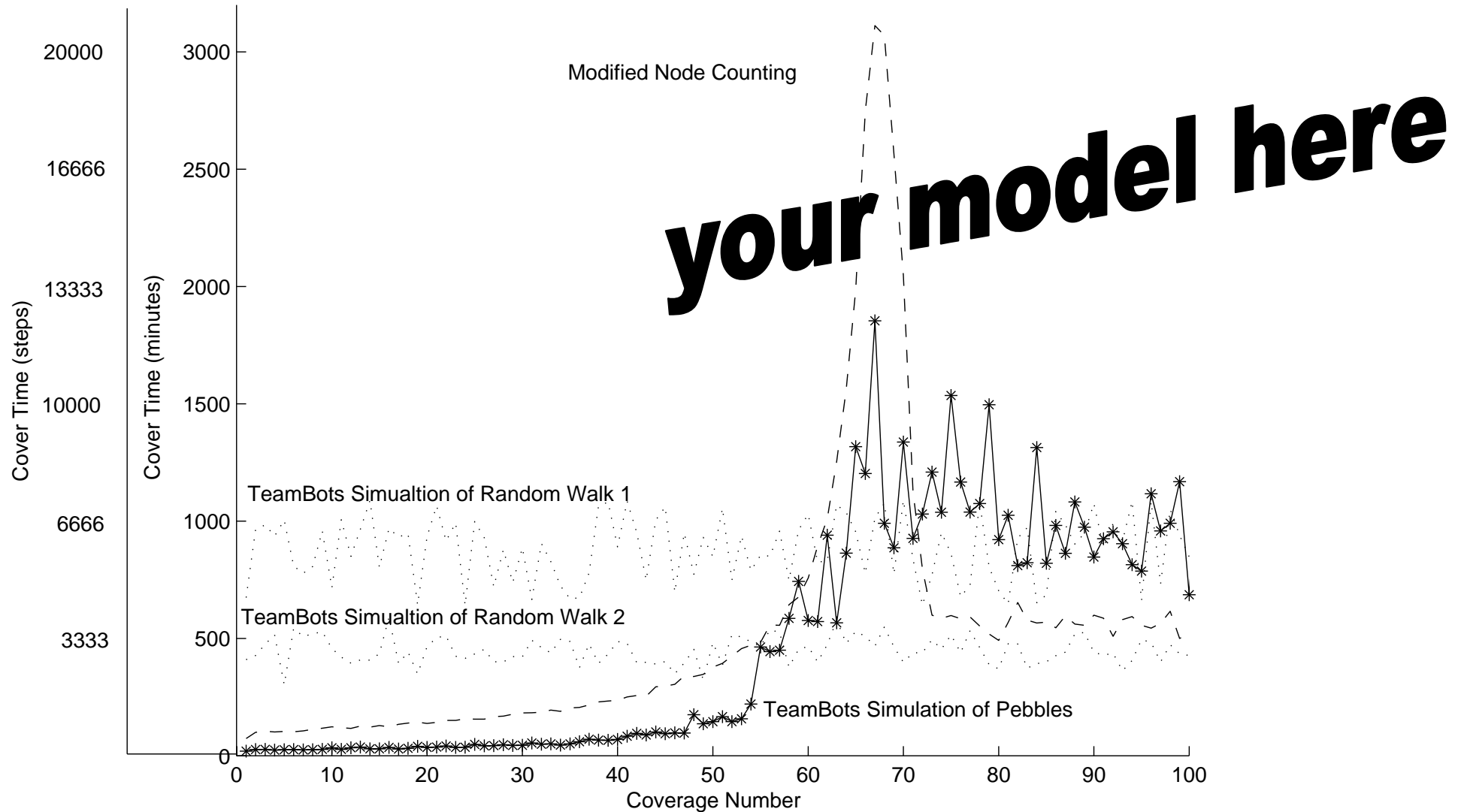
4	0	4
4	0	4
4	7	2

increase the u-value of this large cell by one with probability $(16-0)/16$

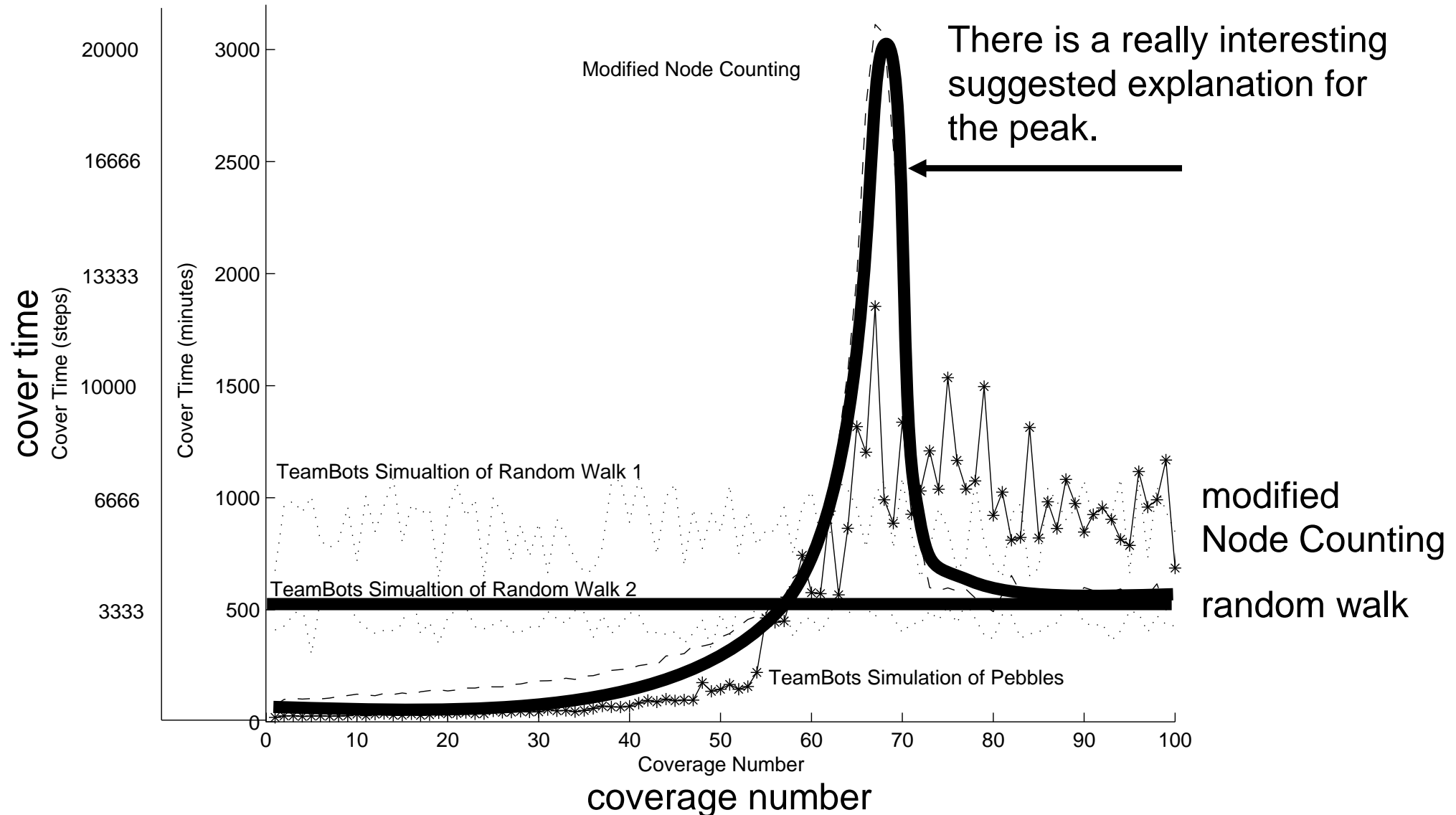
Initially, the u-values $u(s)$ are zero for all cells s .

1. $s := \text{start cell}$
2. $s' := \text{a cell adjacent to cell } s \text{ with a minimal } u\text{-value}$
3. with probability $(170-u(s))/170$ do: $u(s) := 1 + u(s)$
4. move the ant robot to cell s'
5. go to 2

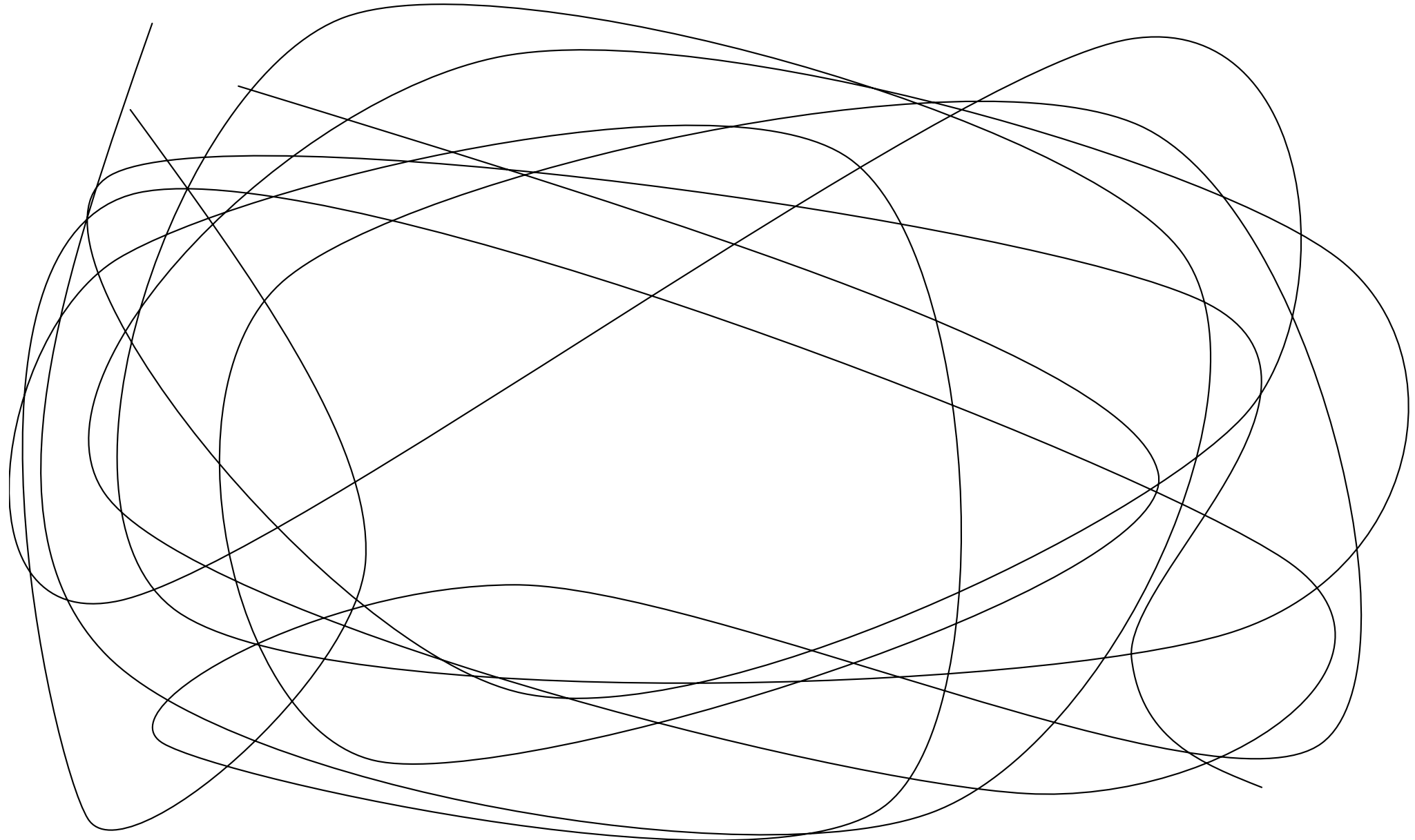
Real Robots and Simulations



Real Robots and Simulations



Real Robots and Simulations



Real Robots and Simulations

- The terrain gets saturated with trails over time. We can avoid this by
 - letting the trails evaporate
 - but the evaporation rate depends on the terrain size
 - removing the trails (via cleaning)
 - but we need to avoid odd behaviors
 - e.g. one robot repeatedly turning around forever
 - e.g. one robot following another robot forever

you letting trails evaporate here

Real Robots and Simulation

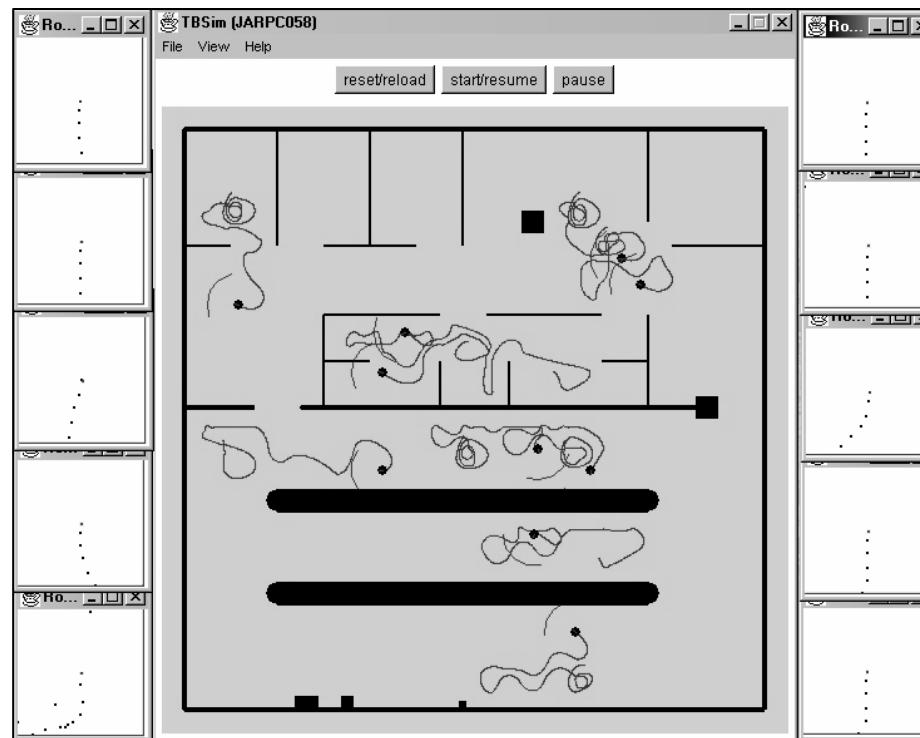
- We chose to remove the trails.



your removal design here

Real Robots and Simulators

- 85 hours without any ant robot getting stuck in a realistic robot simulator



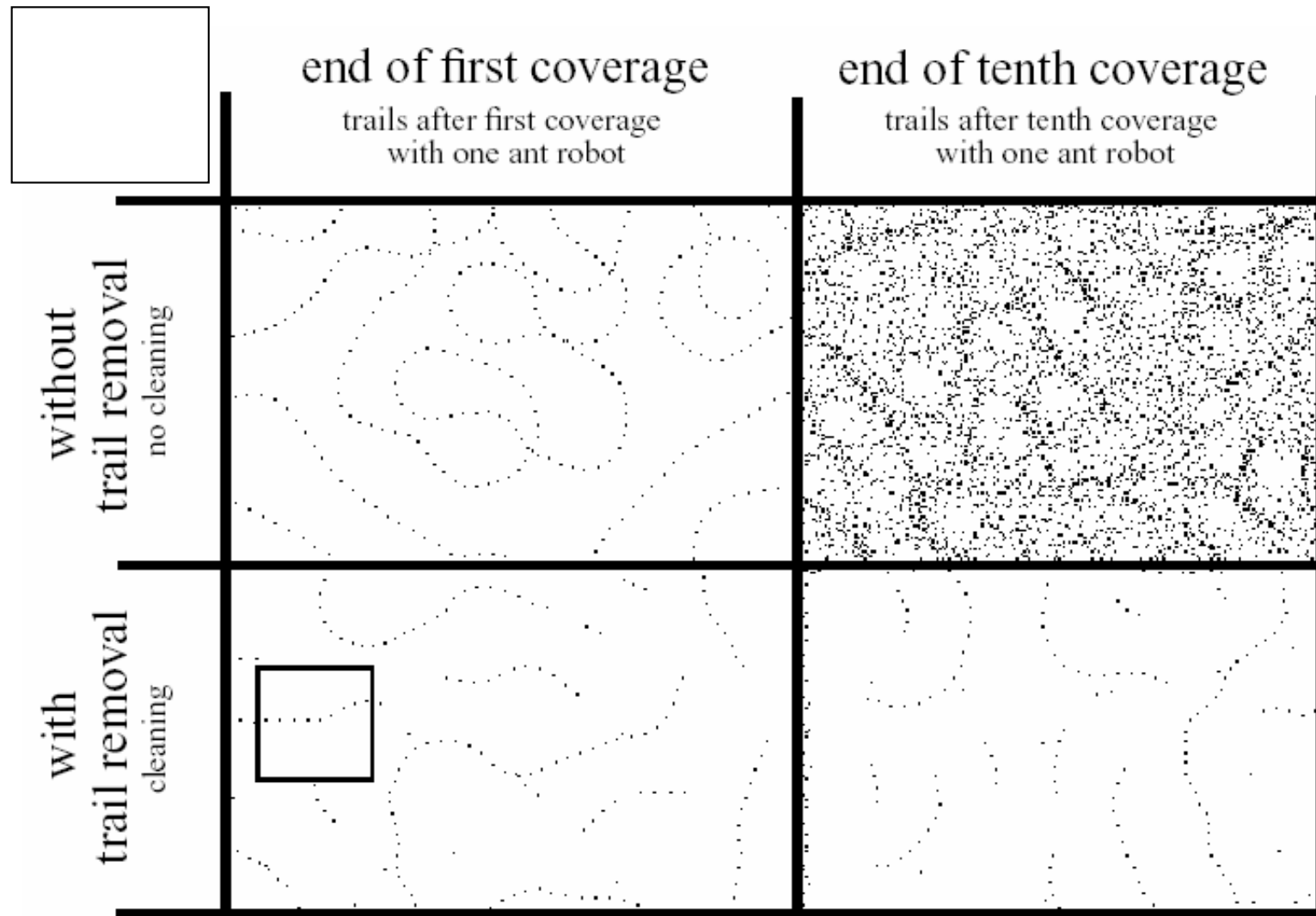
10 ant robots in a 25 by 25 meter terrain

Real Robots and Simulators

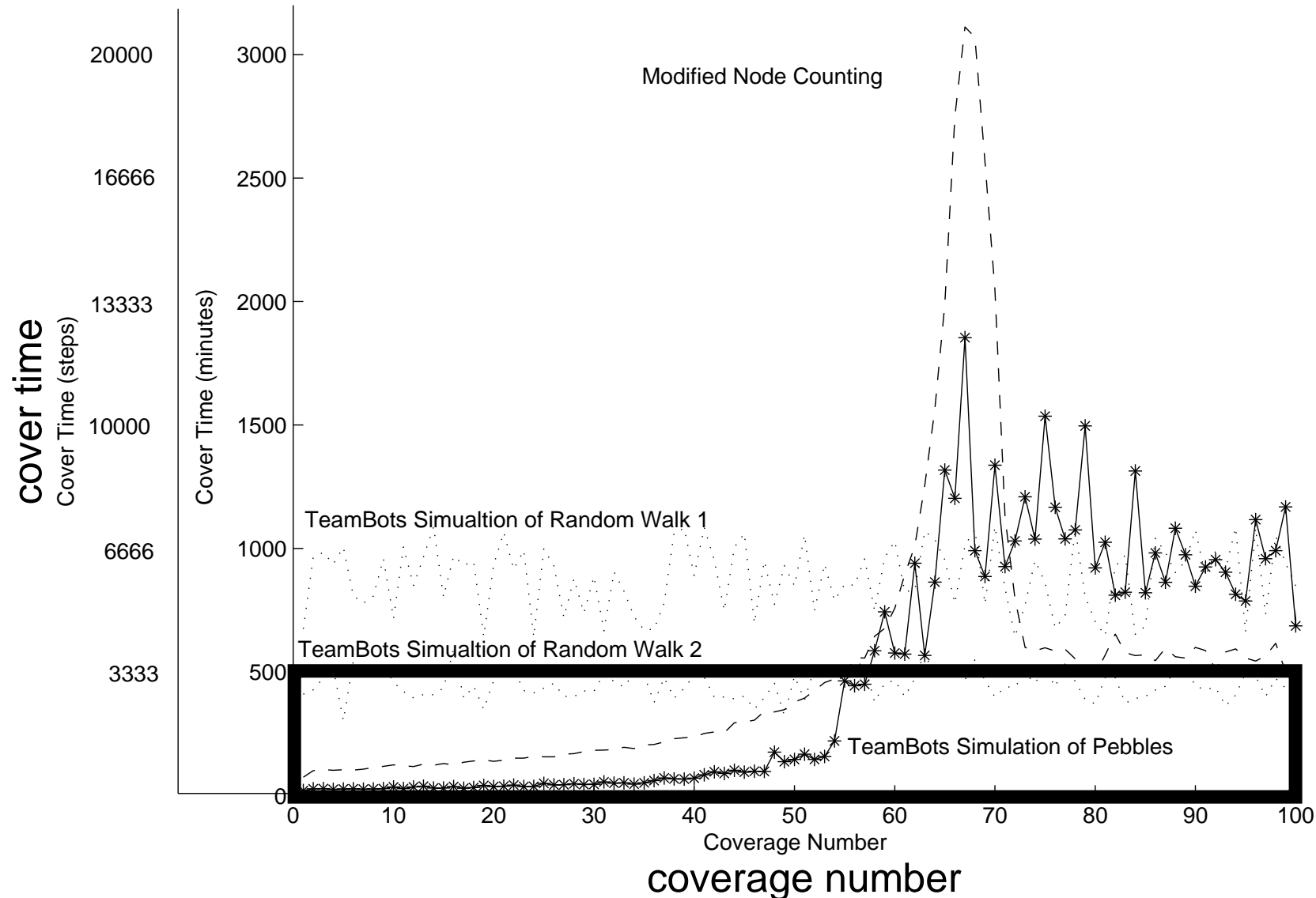
- 85 hours without any ant robot getting stuck in a realistic robot simulator



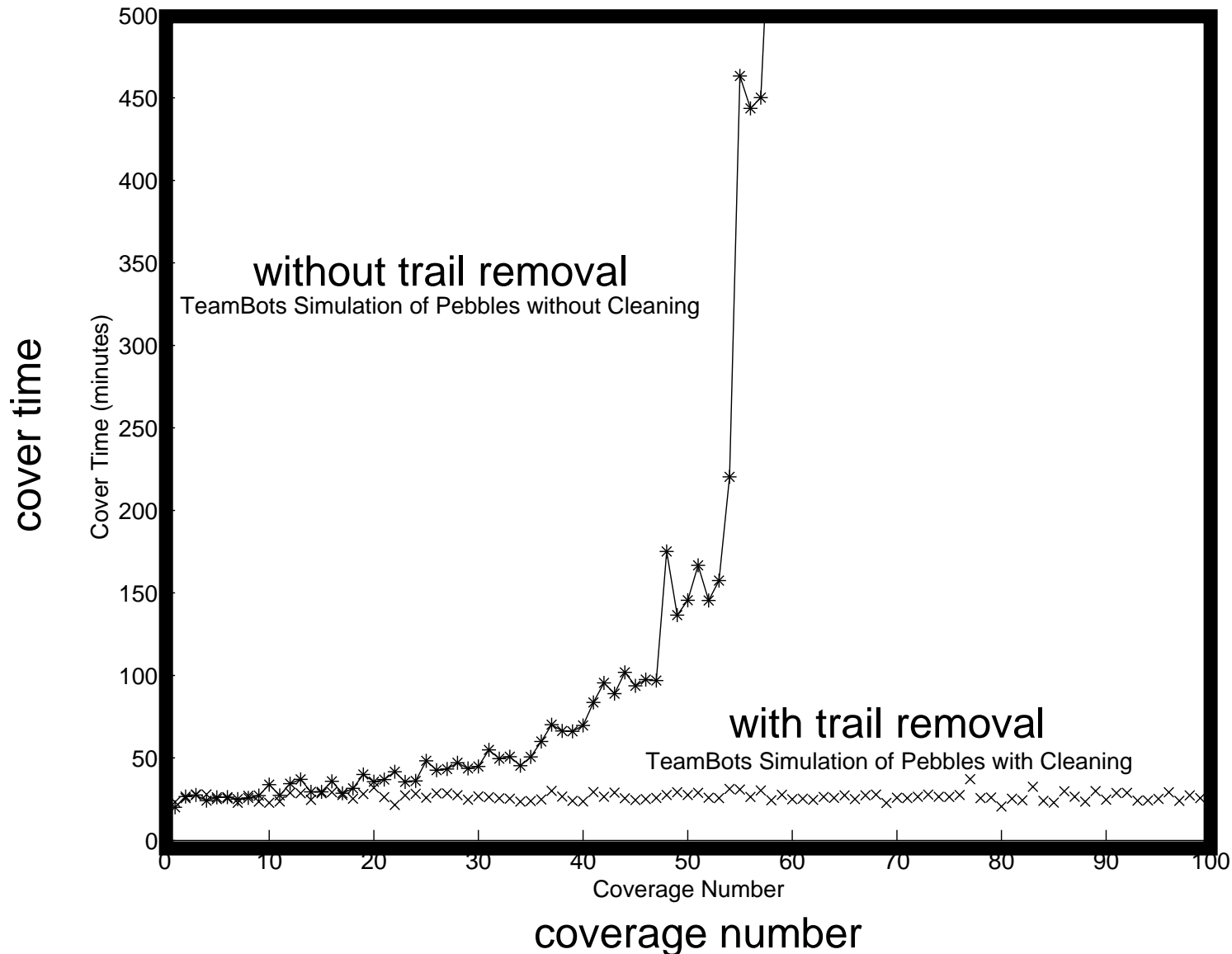
Real Robots and Simulators



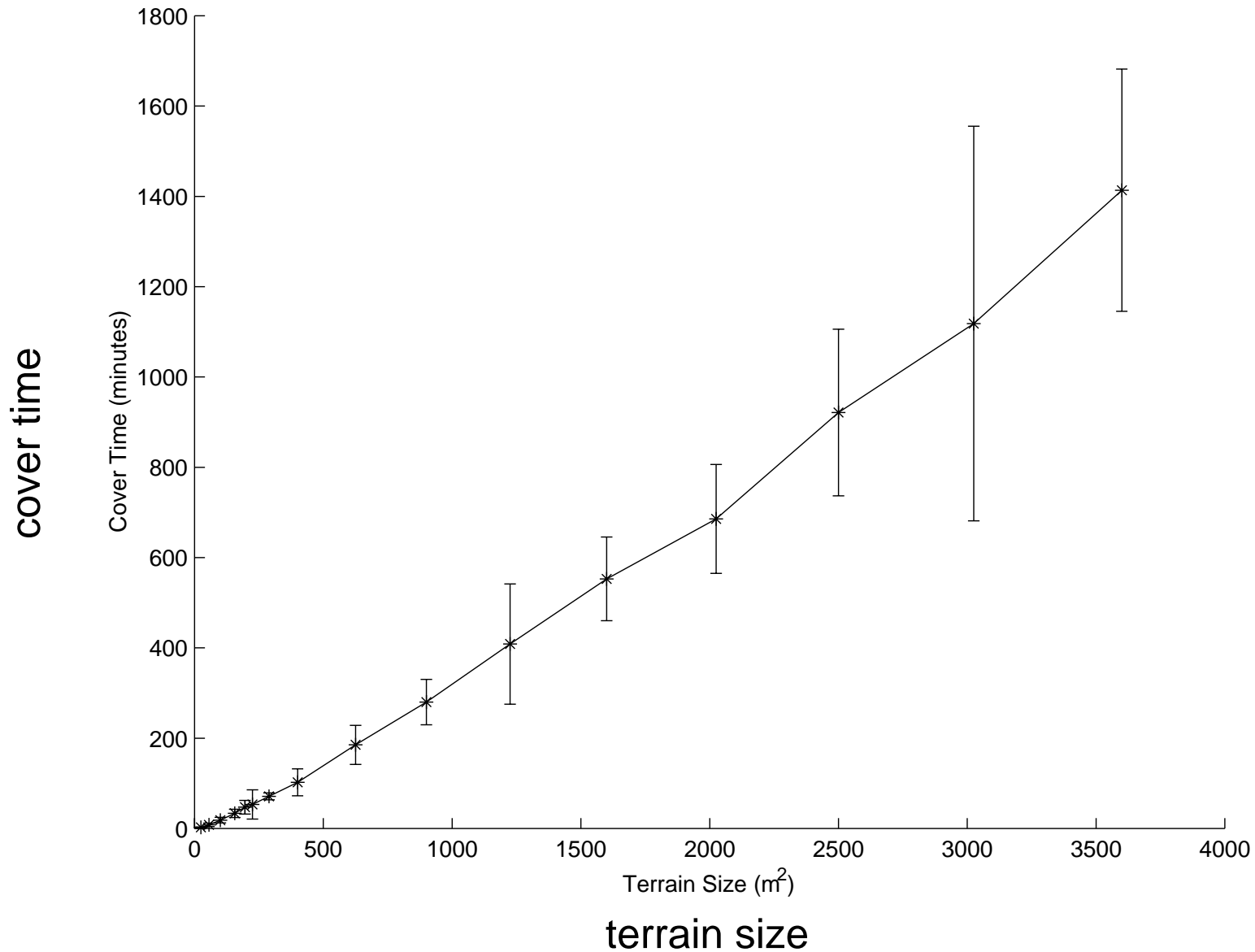
Real Robots and Simulations



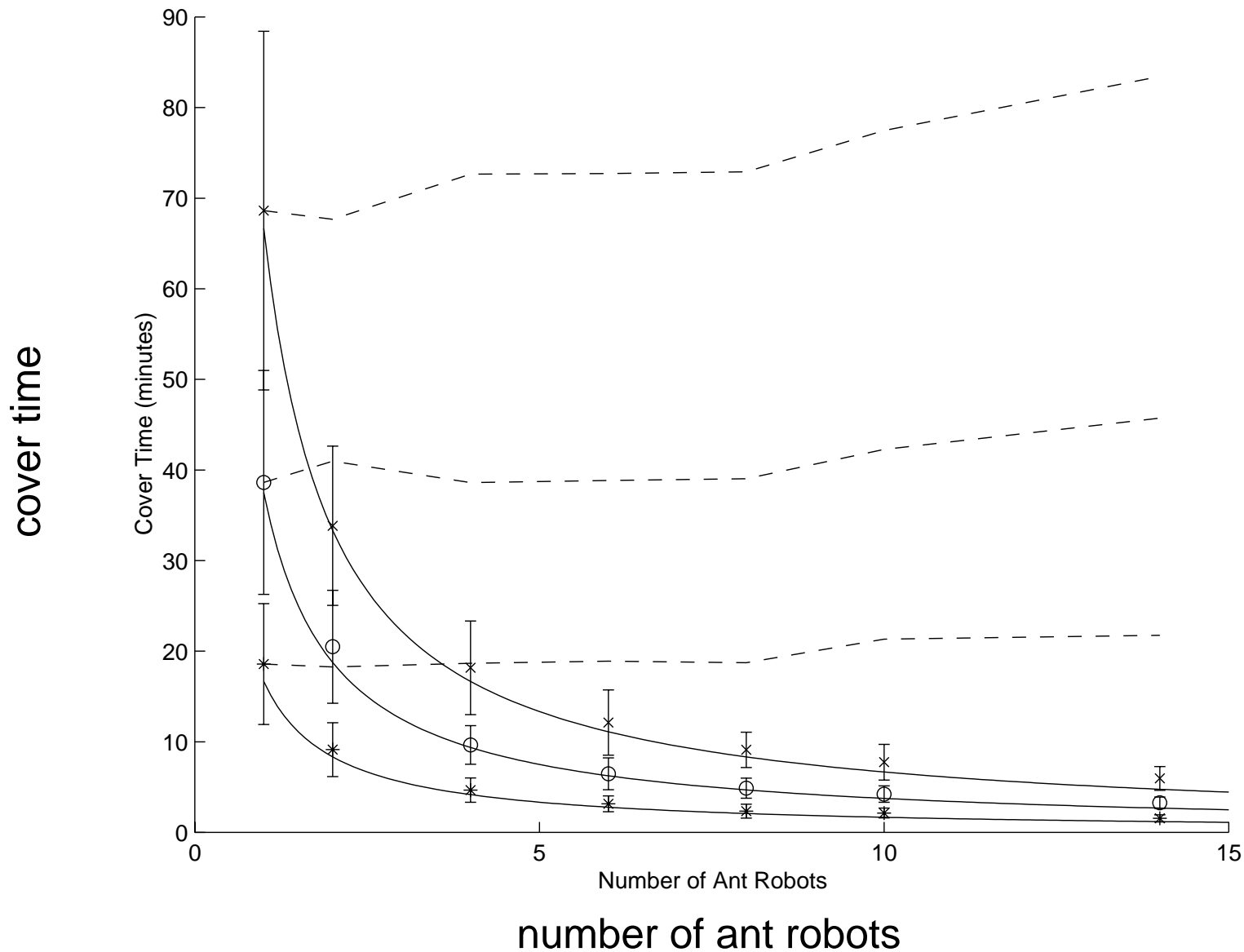
Real Robots and Simulations



Real Robots and Simulations



Real Robots and Simulations



Structure

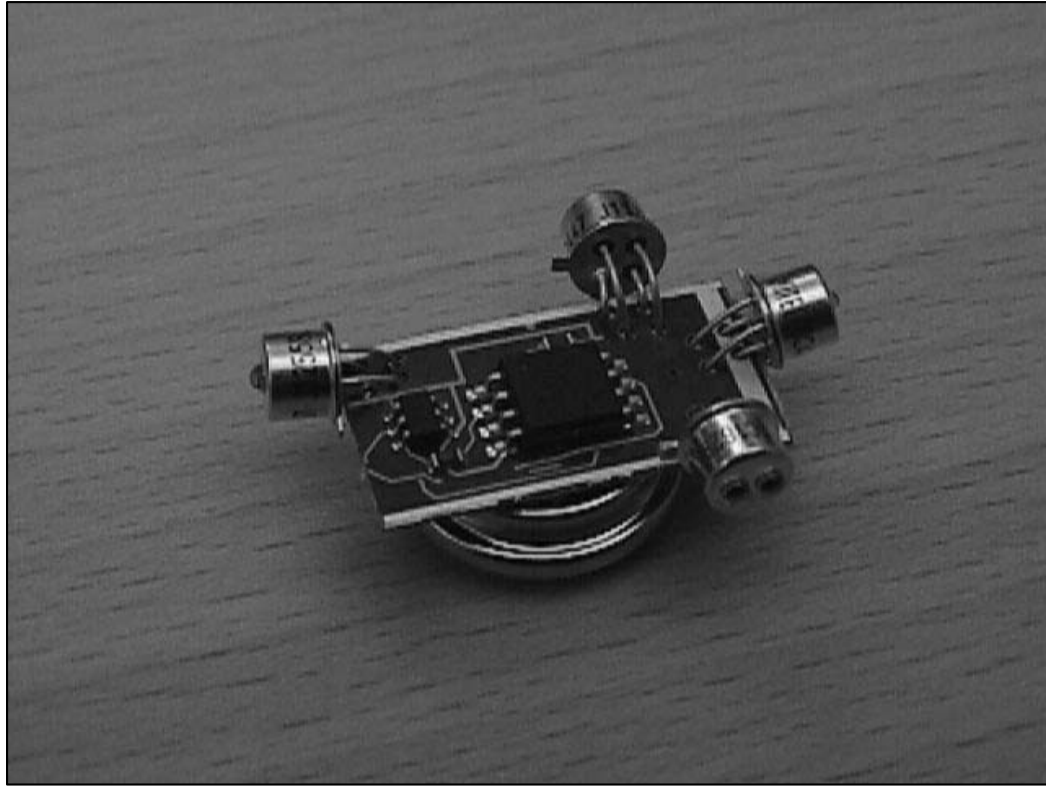
- Motivation
- Real-time search
- Results on real-time search
- Application to ant robots and results
 - Analytical evaluation
 - Experimental evaluation
- Serious application: smart markers

Motivating Toy Task

- Guarding a museum at night?
 - Why contaminate the terrain with trails?
 - People might slip.
 - The trails might be toxic.
 - The trail substance might be expensive.
 - Why not simply use a system of cameras?
- See whether you can come up with a good application in the following. We use search and rescue after an earthquake.

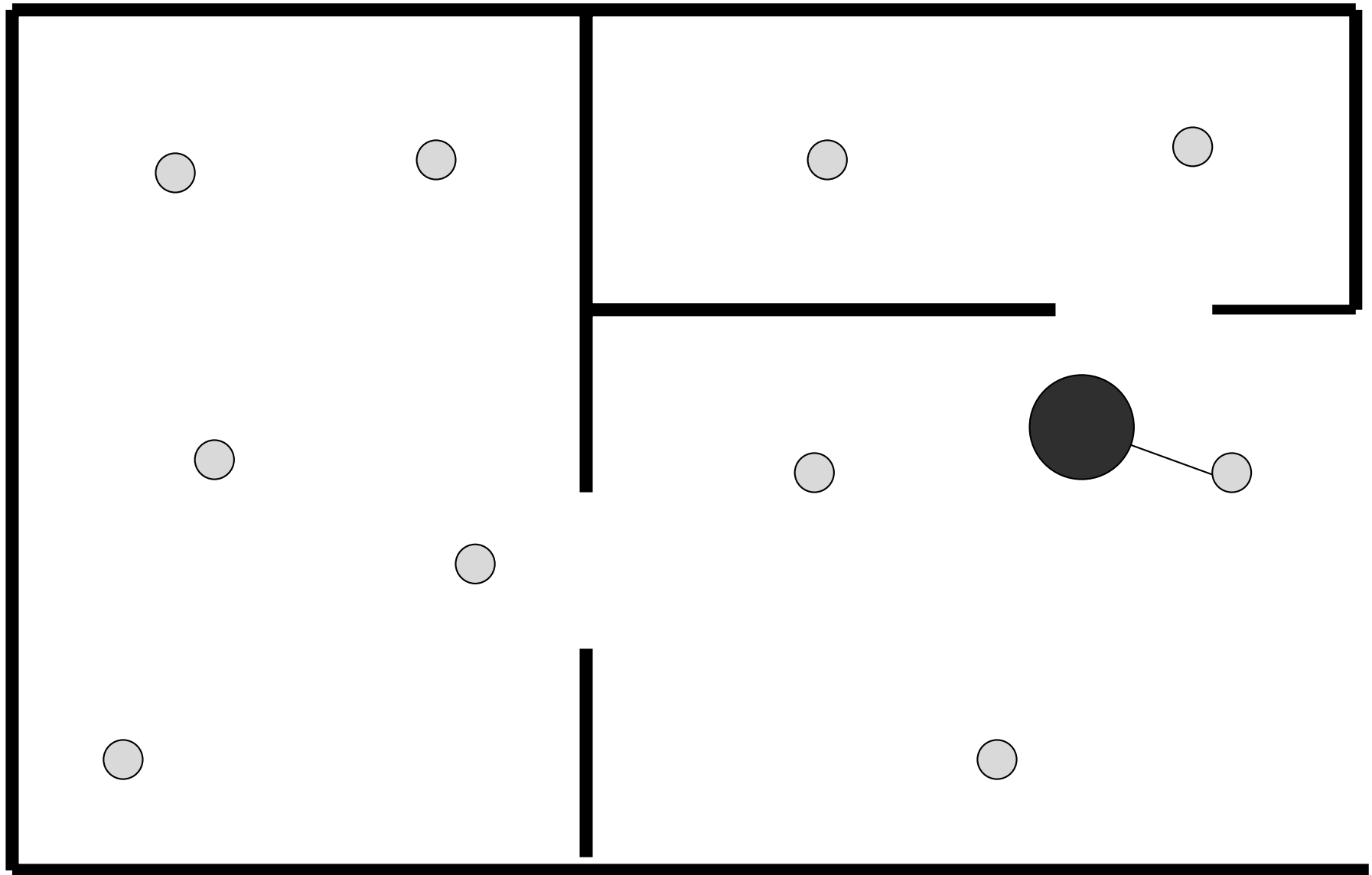
your application here

Smart Markers



small infrared transceivers (eventually about 1 dollar each)
Robots are now localized with respect to the closest transceiver.
We don't avoid the localization problem, we solve it!

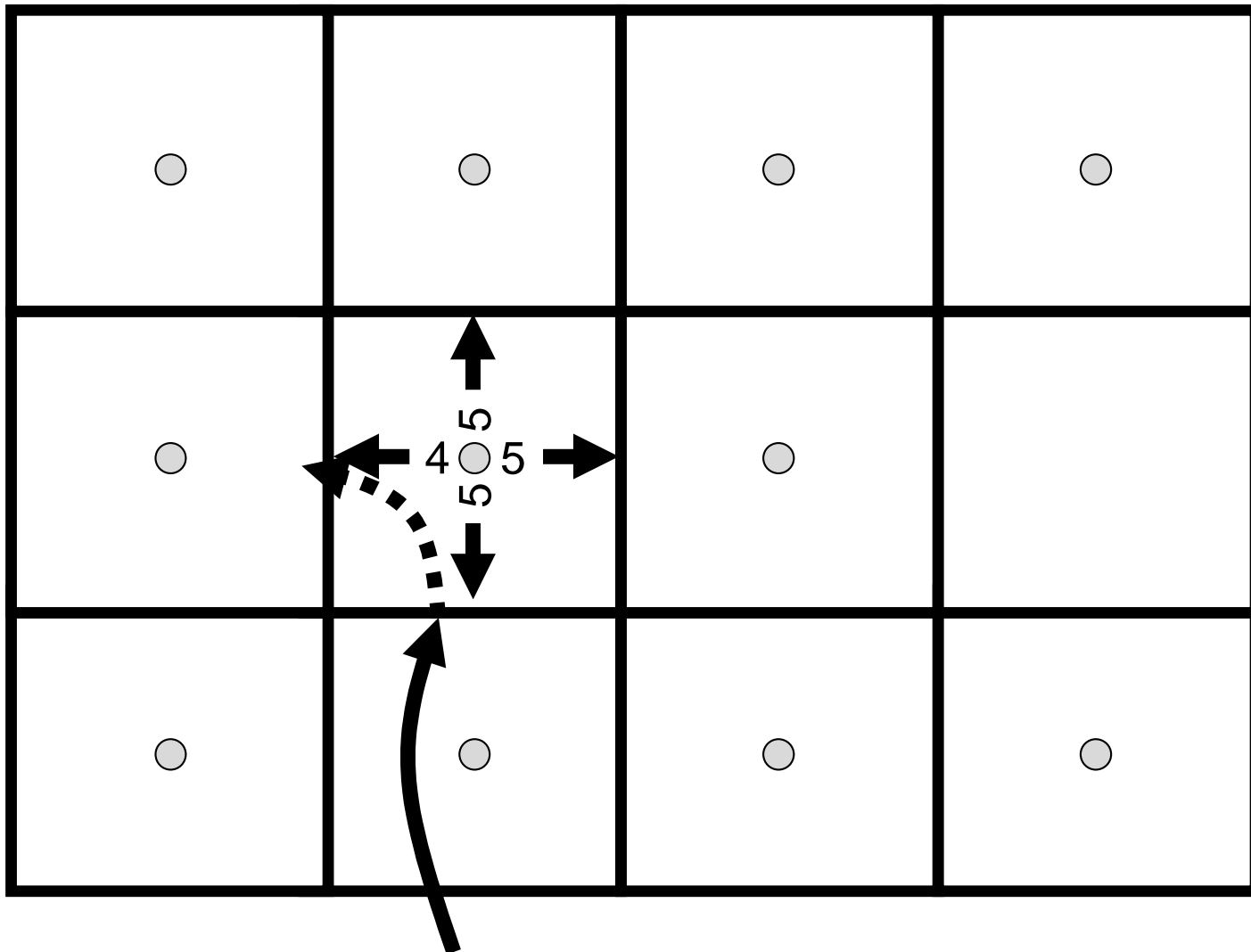
Isolated Smart Markers



Isolated Smart Markers

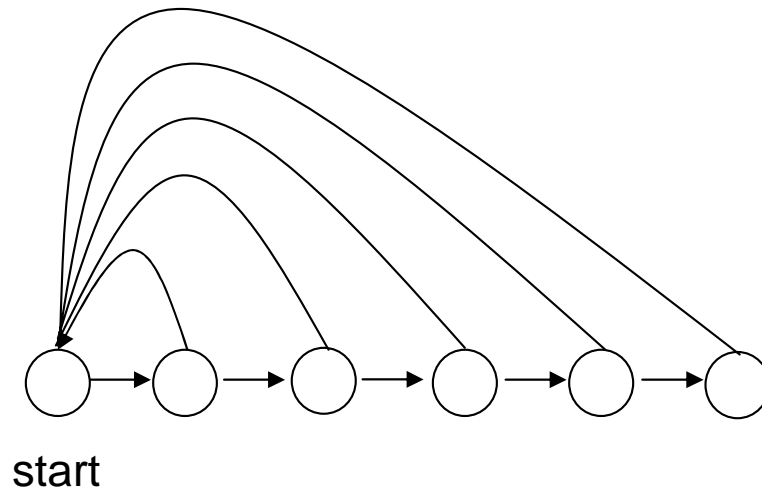
- A robot always moves in the direction in which the closest smart marker has been left the smallest number of times (= Edge Counting = Edge Ant Walk).

Edge Counting

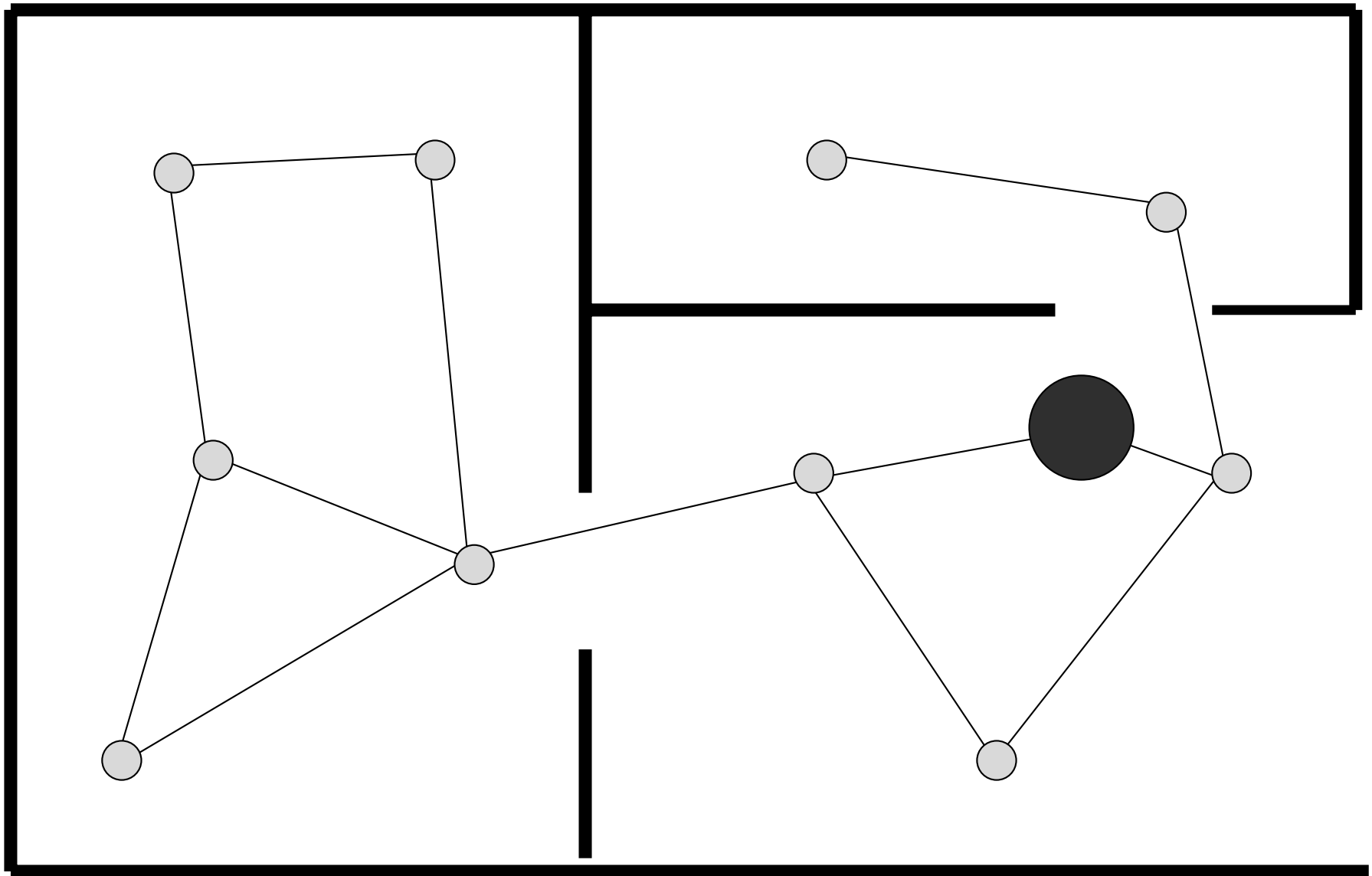


Edge Counting

- The worst-case cover time of Edge Counting is exponential on strongly connected graphs. (The example is similar to the one for Node Counting.) It is at most $\#edges \times \text{diameter}$ movements on undirected or Eulerian graphs, including grids. [Koenig]



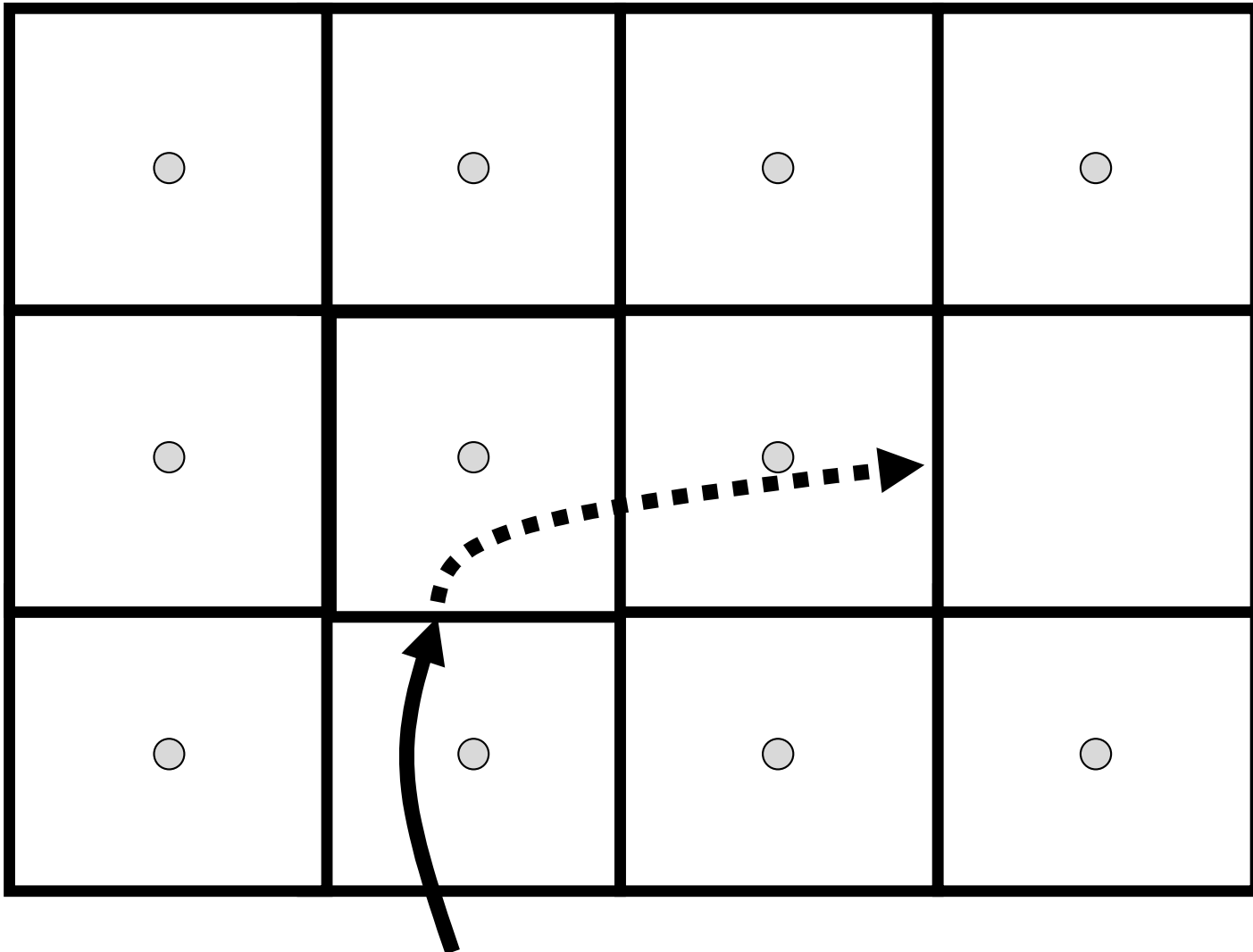
Networks of Smart Markers



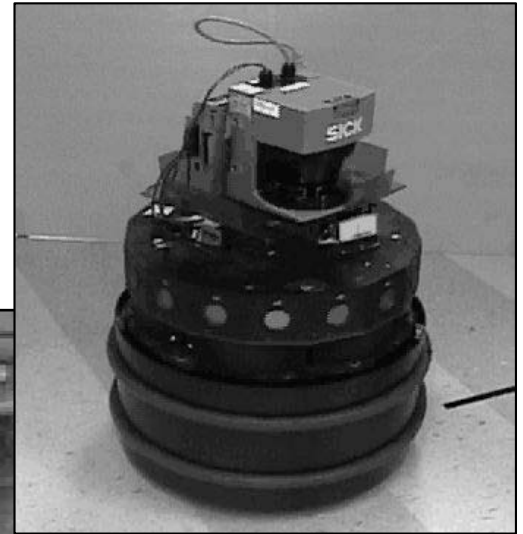
Networks of Smart Markers

- A robot always moves in the direction in which there is no smart marker yet (= Greedy Mapping).

Greedy Mapping



Greedy Mapping

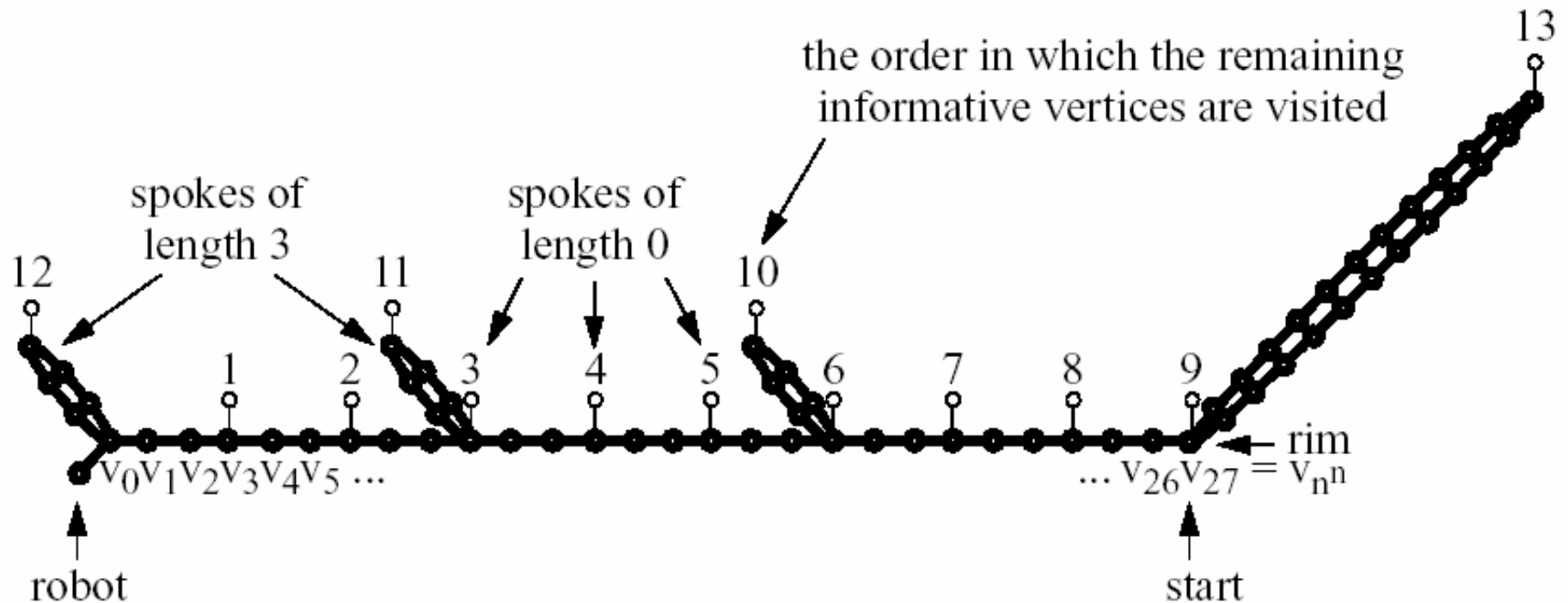


robot-search

your system and analysis here

Greedy Mapping

- The worst-case cover time of Greedy Mapping is $\Omega((\log \#vertices / \log \log \#vertices) \#vertices)$ and $O(\#vertices \log \#vertices)$ movements on undirected connected vertex-blocked graphs, even on grids. [Tovey et. al.]



Further Information

- This was a short version of the tutorial on ant robotics. Additional information about my own research on ant robotics can be found at:

idm-lab.org/project-b.html.

- Thank you!

